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ABSTRACT

Master's thesis: 78 pages, 26 figures, 0 tables, 1 appendices, 19 sources.

IMAGE ENHANCEMENT, IMAGE SHARPENING, ADJUSTMENT CORRECTION, NOISE FILTERING, COMPUTATIONAL EFFICIENCY.

The purpose of attestation work is to create a modern algorithm and informational system of gradual correction (enhancement) of a digital image, which can effectively adapt to the peculiarities of the images being processed.

In the course of performance of attestation work, existing models and algorithms of digital image enhancement were analyzed, algorithm and system for adaptive image correction in C # language was developed and implemented, and image quality estimation was performed.

A comparative analysis of the proposed adaptive algorithm for improving the image with analogues has shown the significant advantages of the proposed algorithm, which were due to more correct work in the area of image bounds and lines.

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3.1		
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3.1.1		
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3.1.2		
	40
3.1.3	-	
	42
3.1.4	-	
	44
3.1.5		
	49
3.1.6		
	48
3.2		
	52
3.2.1		
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3.2.2		
	57
3.3		
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3.4

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[1-3].

[4, 5].

[6-8].

[1, 9, 10].

[11-14].

[1, 2, 15].

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[16, 17].

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[1-3, 18, 19].

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1.1

[1, 5, 9].

[1-3, 5, 9].

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(1.1),

[1, 2, 4].

[1, 5].



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1.1 –

n

(x, y),

{f_i(x, y)}_{i=1,...,n},

(x, y)

{f_i(x, y)}_{i=1,...,n'}

(x, y),

$$m = \frac{1}{n'} \cdot \sum_{i=1}^{n'} f_i(x, y),$$

1.2.

n ≥ 24

[1],

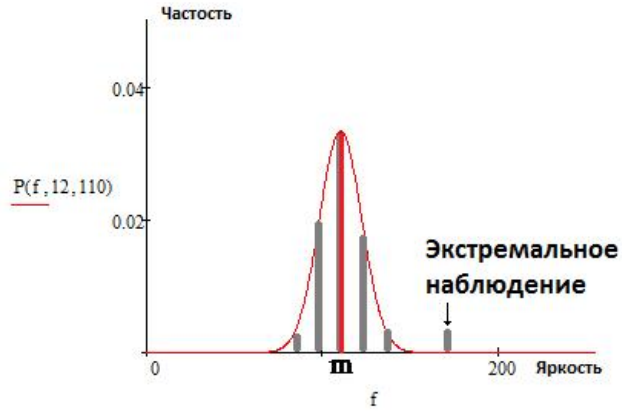
P(f)

f

(x, y)

$$P(f, \sigma, m) = \frac{1}{\sigma \cdot \sqrt{2 \cdot \pi}} \cdot e^{-\frac{(f-m)^2}{2 \cdot \sigma^2}}, \tag{1.1}$$

$k \cdot \sigma$,
 $f(x, y)$ (x, y)



1.2 –

[1].

$$df / dx = f(x + 1) - f(x) , \tag{1.2}$$

() ; x -
 , f - [1, 9].

$$d^2 f / dx^2 = f(x + 1) + f(x - 1) - 2 \cdot f(x) , \tag{1.3}$$

() [1, 2].

[1].

f(x, y), [1]; (x, y),

$$\nabla f = d^2f / dx^2 + d^2f / dy^2. \tag{1.4}$$

$$d^2f / dx^2 = f(x + 1, y) + f(x - 1, y) - 2 \cdot f(x, y), \tag{1.5}$$

$$d^2f / dy^2 = f(x, y + 1) + f(x, y - 1) - 2 \cdot f(x, y). \tag{1.6}$$

[1]

$$\nabla^2 f = (f(x + 1, y) + f(x - 1, y) + f(x, y + 1) + f(x, y - 1) - 4 \cdot f(x, y)). \tag{1.7}$$

(1.7)

(1.3).

[1]

$$h(x, y) = f(x, y) - \nabla^2 f(x, y), \tag{1.8}$$

, $c(\xi, \eta)$ (ξ, η) ;

0	1	0
1	-4	1
0	1	0

1	1	1
1	-8	1
1	1	1

1.3 – [1]

(1.7) (1.8)

$$h(x, y) = 5 \cdot f(x, y) - (f(x + 1, y) + f(x - 1, y) + f(x, y + 1) + f(x, y - 1)), \tag{1.9}$$

1.4.

0	-1	0
-1	5	-1
0	-1	0

-1	-1	-1
-1	9	-1
-1	-1	-1

1.4 – [1]

$$(1.9)$$

[1].

$$h(x, y) = f(x, y) - r(x, y)$$

$$h(x, y) = f(x, y) - r(x, y). \tag{1.10}$$

$$(1.10)$$

[1].

$$h'(x, y) = k \cdot f(x, y) - r(x, y), \quad k \geq 1; \tag{1.11}$$

$$h'(x, y) = (k - 1) \cdot f(x, y) + [f(x, y) - r(x, y)] = (k - 1) \cdot f(x, y) + h(x, y). \tag{1.12}$$

, (1.10) – (1.12)
 $r(x, y)$.

[1, 9]

$$h(x, y) = k \cdot f(x, y) - \nabla^2 f(x, y), \tag{1.13}$$

, $c(\xi, \eta)$ (ξ, η) ;

1.5.

(1.11) – (1.13)

k,

0	-1	0
-1	k+4	-1
0	-1	0

-1	-1	-1
-1	k+8	-1
-1	-1	-1

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)

1.5 –

[1]

9],

$$\nabla f(x, y) = \left(\frac{df}{dx}, \frac{df}{dy} \right). \quad (1.14)$$

(1.14),

$$\mu = |\nabla f(x, y)| = \sqrt{\left(\frac{df}{dx} \right)^2 + \left(\frac{df}{dy} \right)^2}. \quad (1.15)$$

(1.15)

(1.15)

$$\mu \approx \left| \frac{df}{dx} \right| + \left| \frac{df}{dy} \right|. \quad (1.16)$$

[1, 2, 3, 9].

(1.6).

-1	-2	-1
0	0	0
1	2	1

-2	-1	0
-1	0	1
0	1	2

-1	0	1
-2	0	2
-1	0	1

0	1	2
-1	0	1
-2	-1	0

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1.6 –

[1, 9]

$$\nabla f(x, y) = \nabla f$$

$$|\nabla f| = \left| (f_{\xi-1, \eta+1} + 2f_{\xi, \eta+1} + f_{\xi+1, \eta+1}) - (f_{\xi-1, \eta-1} + 2f_{\xi, \eta-1} + f_{\xi+1, \eta-1}) \right| + \left| (f_{\xi+1, \eta-1} + 2f_{\xi+1, \eta} + f_{\xi+1, \eta+1}) - (f_{\xi-1, \eta-1} + 2f_{\xi-1, \eta} + f_{\xi-1, \eta+1}) \right|, \quad (1.17)$$

1.7.

$f_{\xi-1, \eta-1}$	$f_{\xi, \eta-1}$	$f_{\xi+1, \eta-1}$
$f_{\xi-1, \eta}$	$f_{\xi, \eta}$	$f_{\xi+1, \eta}$
$f_{\xi-1, \eta+1}$	$f_{\xi, \eta+1}$	$f_{\xi+1, \eta+1}$

1.7 –

[1]

[1, 9]

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 (/)
 , 2) , 3)

[1, 2, 9].

$$f(x) = a + b \cdot x. \tag{1.18}$$

[1, 2, 5, 9].

1.2

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 [1, 2, 9]. - ,

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[1, 2, 9].

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$$h = \left\lfloor \frac{1}{n - 2 \cdot k} \sum_{i=1+k}^{n-k} f_i \right\rfloor, \quad 2 \cdot k < n, \quad (2.1)$$

$h -$, $\{f_i\}_{i=1, \dots, n} -$

, $2 \cdot k -$

$\{f_i\}_{i=1, \dots, n}$, $n -$

) $\{f_i\}_{i=1, \dots, n}$,
 , k , k
 ;
) , $\{f_i\}_{i=1+k, \dots, n-k}$

[1, 5, 9].

$$k \quad (2.1)$$

$$(k = 0),$$

$$(k = (n - 1)/2) [1, 5, 9].$$

ns-

ns-

2.2

(2.1.)

$$f(x) = \frac{255}{2} \cdot \sin\left(\frac{\pi}{255} \cdot x - \frac{\pi}{2}\right) + \frac{255}{2}. \quad (2.2)$$

[0, 255],

[0, 255],

(2.1.)

2.3

2.1. (11b-).

- $O_\varepsilon(i, j)$:
1. $O_\varepsilon(i, j)$ (i, j),
 $f(i, j)$ $\{f_\xi\}_{\xi=1, \dots, m}$, $m = 2 \cdot \varepsilon + 1$, $\varepsilon -$,
 $(2 \cdot \varepsilon + 1) - O_\varepsilon(i, j)$.
 2. $\{f_\xi\}_{\xi=1, \dots, m}$
 (2.1), $f(i, j)$
 $h(i, j)$.
 3. .

2.2. (shn-).

- $O_\varepsilon(i, j)$
- $f(i, j)$
 (2.1)
1. $O_\varepsilon(i, j)$ (i, j),
 $\{f_\xi\}_{\xi=0, \dots, n}$ $f(i, j) \pm T$.
 $\{f_\xi\}_{\xi=0, \dots, n}$: $p = 0, q = n$.

2. $M \{f_\xi\}_{\xi=p, \dots, q} \cdot$

3. $(f_q - M) > T, \quad (M - f_p) > T, \quad \{f_\xi\}_{\xi=0, \dots, n}$

M

$$\begin{cases} (M - f_p) > (f_q - M) \rightarrow p = p + 1, \\ q = q - 1, \end{cases} \quad (2.4)$$

2;

4.

4.

$$\{f_\xi\}_{\xi=p, \dots, q}$$

(2.1),

$f(i, j)$

(i, j)

$h(i, j)$.

5.

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$k\sigma -$

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$k\sigma -$

$k = k(m, \sigma)$

k

(m, σ)

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2.4

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1) , - , $\sqrt{2}$ -
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 f, - b.
 ,
 S_f ,
 $S_b = 1 - S_f$,

$0 < S_f < 1, 0 < S_b < 1, S_f + S_b = 1.$

$b < h(= f \cdot S_f + b \cdot S_b) < f. \tag{2.5}$

(2.5).

[11].

$\{u_i\}_{i=0,\dots,n}, u_0 \leq u_1 \leq \dots \leq u_n, \tag{2.6}$

$u_i = f(\xi, \eta) - f_i, f(\xi, \eta) \neq f_i, \tag{2.7}$

$f(\xi, \eta) - (\xi, \eta), f_i -$
 $\varepsilon -$
 $(\xi, \eta).$

:

1)

$$c = \max\{|u_0|, |u_n|\}, \tag{2.8}$$

2)

$$g = \min\{|u_0|, |u_n|\}. \tag{2.9}$$

:

1)

$$F_i = \begin{cases} 1, & \text{if } (g \leq T_g) \wedge (c \leq T_g), \\ 0, & \text{else;} \end{cases} \tag{2.10}$$

2)

$$F_b = \begin{cases} 1, & \text{if } (g \leq T_g) \wedge (c > T_g), \\ 0, & \text{else.} \end{cases} \tag{2.11}$$

$$, \tag{F_b = 1}$$

(2.11),

$$(F_i = 1)$$

(2.10),

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3)

$$F_s = \begin{cases} 1, & \text{if } (g > T_g) \wedge (c > T_g), \\ 0, & \text{else.} \end{cases} \tag{2.12}$$

[11].

$\varepsilon -$

$(\xi, \eta);$

$\varepsilon -$

$(\xi, \eta),$

$(\xi, \eta).$

[5].

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$3 \times 3.$

$P = 4 \cdot (2 \cdot \varepsilon + 1) - 4 = 8 \cdot \varepsilon$

$2 \cdot \varepsilon + 1 -$

(2.5),

ε

T_g

2.3.

(

ds-

1.

(i, j)

ε ,

(2.8) (2.9),

$c = c(i, j; \varepsilon)$

$g = g(i, j; \varepsilon)$.

(2.10) – (2.12)

2.

$O_{\sqrt{2}}(i, j)$

(i, j):

(i, j)

(i, j)

3.

2.3

[1, 2, 9]

$$P \leq T(N) \leq P^2$$

c g,

2.3,

2.5

E.

$$c^* = \min_i(c_i); \tag{2.13}$$

$$c(x, y; \epsilon) = \max_{\xi} |f(x, y) - f_{\xi}|,$$

[11].

g^*

$$g^* = \min_i(g_i). \tag{2.14}$$

$$c^* < T$$

$$(g^* > c^*) \wedge (g^* > T), \tag{2.15}$$

T -

$$(2.15)$$

$$(2.15).$$

$$r = \frac{g^*}{c^*}, \tag{2.16}$$

$$g^* > h^*, \tag{2.17}$$

h* -

$$(2.17)$$

$$\text{ERate} \leq T^*, \text{ERate} = \max_{i,j} \{ |E_{n_{ij}} - T_{p_{ij}}| \}, \quad (2.18)$$

$$T^* = \max_{i,j} \{ |E_{n_{ij}} - T_{p_{ij}}| \}, \quad \text{ERate} = \max_{i,j} \{ |E_{n_{ij}} - T_{p_{ij}}| \},$$

3

3.1

3.1.1

[a, b], a < b,

$$p(x) = k \cdot (x - a), \quad k = \frac{255}{b - a}, \quad (3.1)$$

$$s(x) = \frac{255}{2} \cdot \sin\left(\frac{\pi}{b - a} \cdot x - \frac{\pi}{2} - \frac{a \cdot \pi}{b - a}\right) + \frac{255}{2}, \quad (3.2)$$

$$t(x) = p(x) + (p(x) - s(x)), \quad (3.3)$$

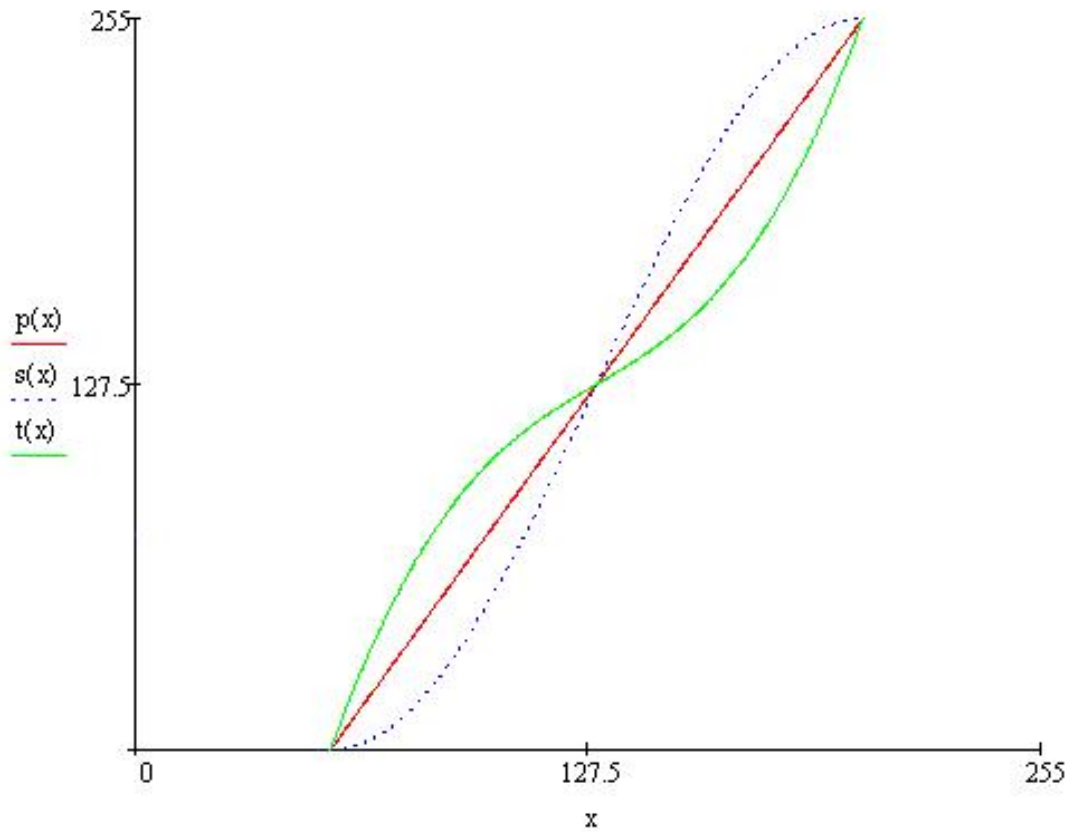
[a, b]

[0, 255], . 3.1.

(3.1) - (3.3)

:

– $p(x)$, $[a, b]$,
 $[0, 255]$;
 – $s(x)$, $[a, b]$,
 $[0, 255]$,
 $[a, b]$;
 – $t(x)$, $[a, b]$,
 $[0, 255]$,
 $[a, b]$.



3.1 – (3.1) – (3.3),
 $[a = 55, b = 205]$

$$F_B(\lambda, x) = \lfloor \lambda \cdot s(x) + (1 - \lambda) \cdot t(x) \rfloor, \tag{3.4}$$

(3.3) (3.4)

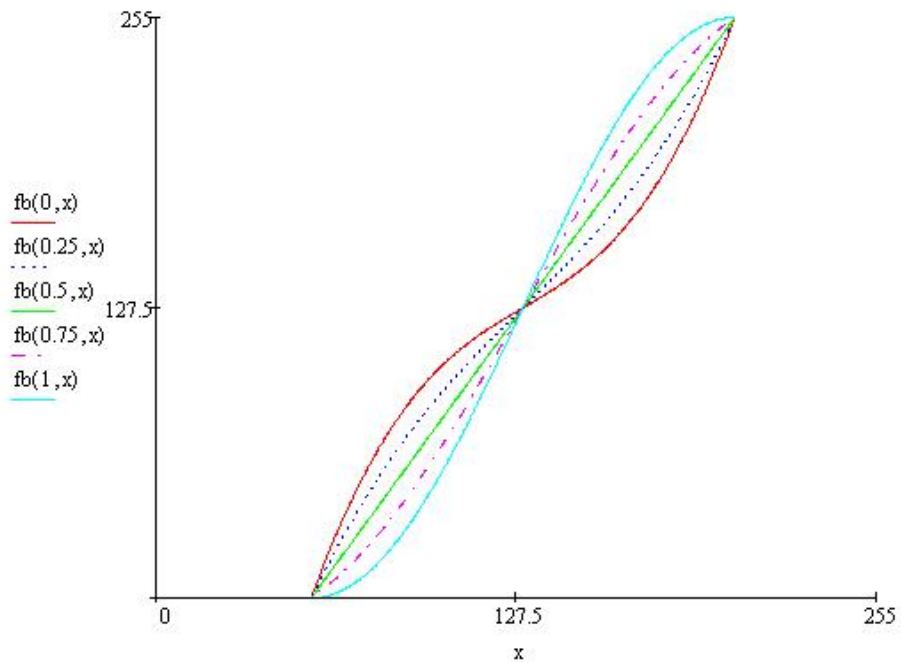
$$F_B(\lambda, x) = \lfloor \lambda \cdot s(x) + (1 - \lambda) \cdot (2 \cdot p(x) - s(x)) \rfloor, \tag{3.5}$$

$\lfloor \cdot \rfloor -$

$$\lambda, 0 \leq \lambda \leq 1, \tag{3.5}$$

$s(x), t(x)$

. 3.2.



3.2 -

$F_B(\lambda, x),$

λ

$\Delta\lambda = 0.25$

$[a = 55, b = 205]$

3.1.2

[0, 255]

[a, b], $0 \leq a \leq b \leq 255$,
[0, 255].

$b - a$,

$$F_B(\lambda, x) \quad (3.5) \quad [a, b] \quad [0, 255]$$

$$a = \min_{i,j} \{f_{i,j}\}_{i,j}, \quad b = \max_{i,j} \{f_{i,j}\}_{i,j}, \quad (3.6)$$

$\{f_{i,j}\}_{i,j}$ -

[0, 255],

$$x' = \begin{cases} 0, & (x = a), \\ F_B(\lambda, x), & (a < x < b), \\ 255, & (x = b). \end{cases} \quad (3.7)$$

3.2

$F_B(\lambda, x)$

[a, b]

(3.5)

[a, b],

(3.5)

c, d

$$[0, 255] : 0 \leq c \leq d \leq 255,$$

[a, b]

[c, d]

$$p(x) = k \cdot (x - a) + c, \quad k = \frac{d - c}{b - a}, \quad (3.8)$$

$$s(x) = \frac{d - c}{2} \cdot \sin\left(\frac{\pi}{(b - a)} \cdot x - \frac{\pi}{2} - \frac{a \cdot \pi}{b - a}\right) + \frac{d + c}{2}, \quad (3.9)$$

$$t(x) = p(x) + (p(x) - s(x)), \quad (3.10)$$

[a, b], a < b,

[c, d], c < d.

(3.8) – (3.10)

[a, b] [c, d]

. 3.3.

(3.5),

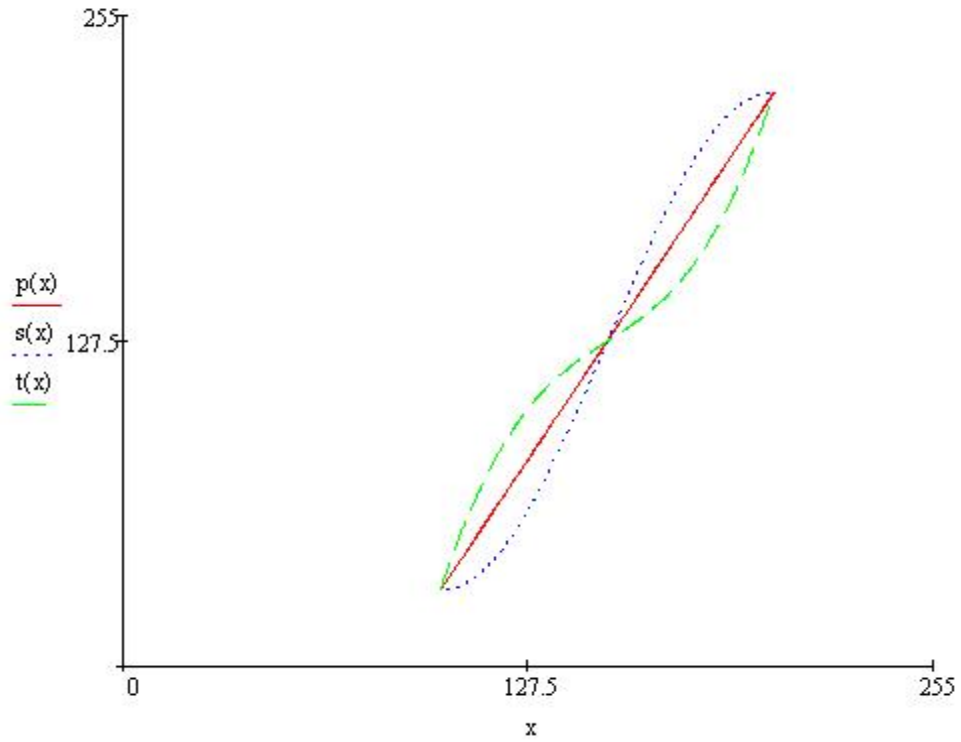
(3.8) – (3.10).

(c, d)

(3.8) – (3.10)

c d

: c = 0, d = 255.



3.3 –

$$[a = 100, b = 205], [c = 30, d = 225]$$

3.1.3

-

,

$$[a, b], a < b,$$

,

$$(3.1),$$

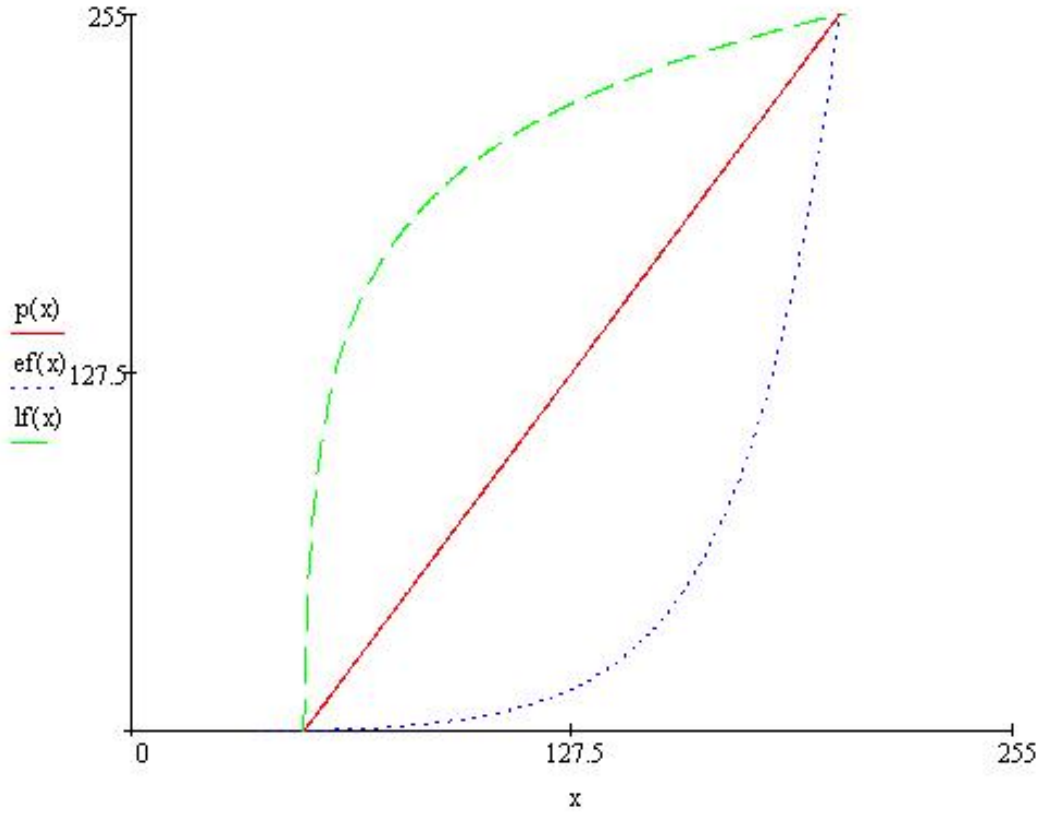
$$(3.2) \quad (3.3)$$

$$ef(x) = e^{k1 \cdot k2 \cdot (x-a)} - 1, \tag{3.11}$$

$$lf(x) = k1^{-1} \cdot \ln[(x - a) \cdot k2 + 1], \tag{3.12}$$

$$k1 = \frac{8 \cdot \ln(2)}{255}, k2 = \frac{255}{b - a}, \tag{3.13}$$

[a, b], a < b,
 [0, 255], . 3.4.



3.4 – (3.11) – (3.12),
 [55, 205]

(3.11) (3.12)

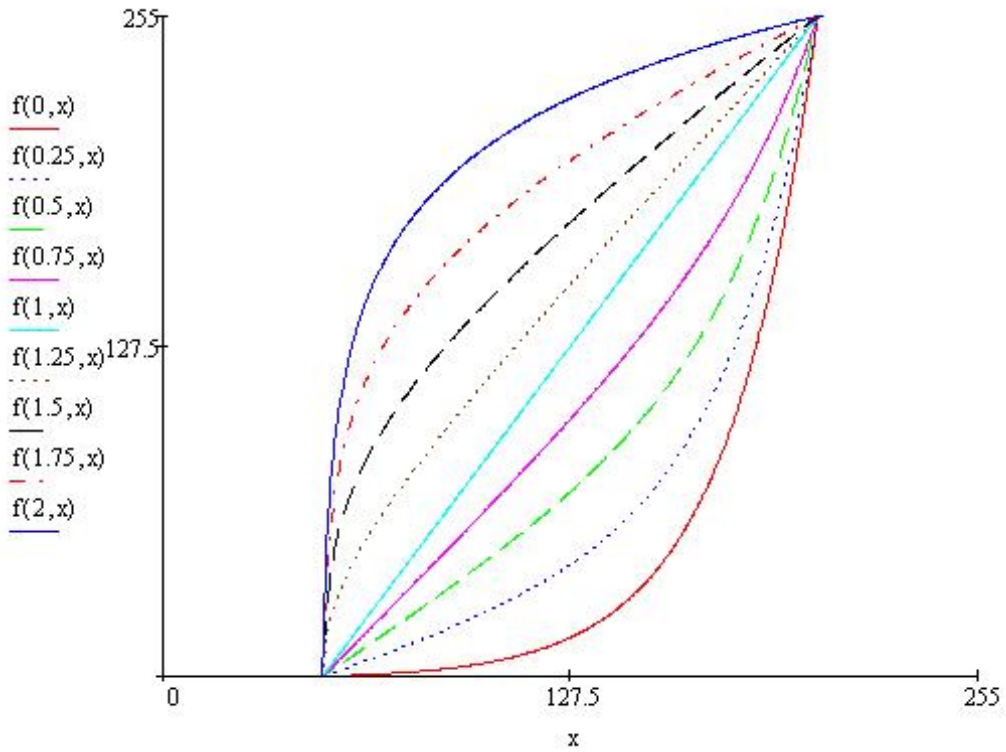
$$F_{ELC}(\lambda, x) = \begin{cases} [(\lambda - 1) \cdot lf(x) + [1 - (\lambda - 1)] \cdot p(x)] & \text{if } \lambda \geq 1, \\ [\lambda \cdot p(x) + (1 - \lambda) \cdot ef(x)] & \text{else.} \end{cases} \quad (3.14)$$

$$\lambda, 0 \leq \lambda \leq 2, \quad (3.14)$$

(3.11), (3.12)

$$F_{\text{ELC}}(\lambda, x),$$

λ $\Delta\lambda = 0.25,$ $\lambda \in [0, 2]$



3.5 –

$$F_{\text{ELC}}(\lambda, x)$$

[55, 205],

λ

$\Delta\lambda = 0.25$

3.1.4

[0, 255]

$$[a, b], \quad 0 \leq a \leq b \leq 255, \quad b - a, \quad ,$$

$$[0, 255].$$

$$F_{ELC}(\lambda, x) \quad (3.14) \quad [a, b] \quad [0, 255]$$

$$(3.6). \quad a \quad b, \quad (3.14)$$

$$[a, b], \quad ,$$

$$c, d \quad [0, 255],$$

$$0 \leq c \leq d \leq 255; \quad [a, b]$$

$$[c, d] \quad (3.14),$$

$$(3.8),$$

$$ef(x) = k3 \cdot [e^{k1 \cdot k2 \cdot (x-a)} - 1] + c, \quad (3.15)$$

$$lf(x) = k3 \cdot k1^{-1} \cdot \ln[(x - a) \cdot k2 + 1] + c, \quad (3.16)$$

$$k1 = \frac{8 \cdot \ln(2)}{255}, \quad k2 = \frac{255}{b - a}, \quad k3 = \frac{d - c}{255}, \quad (3.17)$$

$$[a, b], \quad a < b, \quad [c, d], \quad c < d.$$

$$(3.8), (3.15) \quad (3.16) \quad [a, b] \quad [c, d]$$

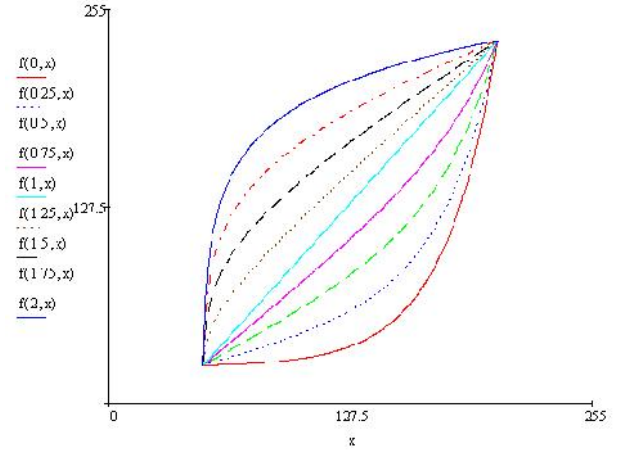
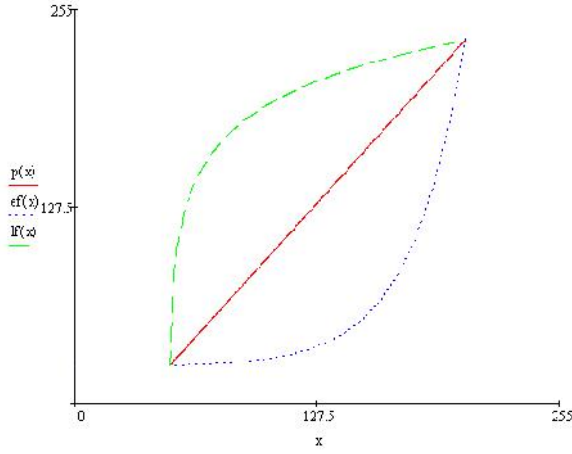
. 3.6.

$$3.6 \quad F_{ELC}(\lambda, x)$$

$$, \quad [a, b] \quad [c, d]$$

(3.14),

(3.8), (3.15) (3.16).



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3.6 –

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$F_{ELC}(\lambda, x)$,

λ

$\Delta\lambda = 0.25$,

$a = 50, b = 205, c = 25, d = 235$

3.1.5

c_s

$[a, b]$

$[c, d]$

$$0 \leq a \leq b \leq x^*, 0 \leq c \leq d \leq 255$$

$$c_s = v/\mu, v = \frac{d-c}{255}, \mu = \frac{b-a}{x^*}, 0 \leq v \leq 1, 0 \leq \mu \leq 1, \quad (3.18)$$

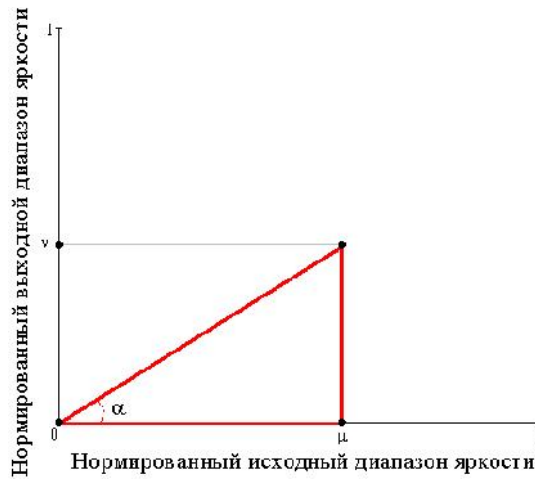
$tg(\alpha)$

α

$$c_s = \text{tg}(\alpha) = \frac{v}{\mu}, \tag{3.19}$$

3.7. , c_s ,
 $[a, b]$
 $[c, d]$. c_s
 $[a, b]$
 $[c, d]$, c_s
 $[0, x^*]$
 $[0, 255]$, (3.18)

$$c_s = \frac{v}{\mu} = \frac{d - c}{b - a}. \tag{3.20}$$



3.7 –

c_s

c_s

()

,

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· , ,

[a,b].

, : $c_s > T_s$, $T_s -$
 , $T_s > 1$, /

·

[1, 9, 98]

[a,b] , , (3.18).

3.1.6

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· , ,

$F(x; a, b, c, d, \lambda)$, (a, b, c, d, λ) .

3.1.

(hc-),

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$F(x; a, b, c, d, \lambda)$:

- 1) $M_{1 \times n}, \quad n = x^* + 1, x^* -$;
- 2) $M[i]$
- $F(i) = F(i; a, b, c, d, \lambda), \quad i = 0, 1, \dots, x^*$

$$M[i] = \begin{cases} c, & i < a, \\ F(i), & a \leq i \leq b, \\ d, & i > b. \end{cases} \quad (3.21)$$

2. $x(\xi, \eta) = M[x(\xi, \eta)] .$

$x(\xi, \eta)$

3. $[a, b]$,

(3.6)

3.2.

(mhc-) .

1.

$H \quad h_i$

$[0, x^*]$

$$H = \{h_i\}_{i=0, \dots, x^*}, \quad h_i = \frac{k_i}{N}, \quad (3.22)$$

$x^* -$, $k_i -$

$i, N -$

H

[a, b],

2.

H,

a

b

3.

$F(x; a, b, c, d, \lambda)$

x.

4.

$x(\xi, \eta)$

$x(\xi, \eta) = M[x(\xi, \eta)]$.

5.

1.10),

a

b

3.3.

(c, d, λ)

T

(hcc-).

1. (3.22) [0, x*]

2. H, : T: h_i > T.

3. F(x; a, b, c, d, λ) x.

4. x(ξ, η) = M[x(ξ, η)].

5. hcc-

256

hcc-

3.2 3.3

T1 = 4

(3.23)

3.1 2

,

$$T_2 = 2 \tag{3.24}$$

, 3.1 ,

[a, b], 3.2 3.3

2 , [1, 9], ,

.

3.2 3.3,

c_s .

3.2

f'

[a', b']

[0, 255].

$\|f'\|$

[a', b']

[0, 255],)

f'

$$sn = \begin{cases} \frac{u_0}{|u_0|}, & \text{if } |u_0| \geq |u_n|, \\ \frac{u_n}{|u_n|}, & \text{else,} \end{cases} \neq 0, \quad (3.26)$$

$$\Delta f = y(\arg(c); k, p) = k \cdot \left(\frac{\arg(c)}{255} \right)^p \cdot \arg(c), \quad (3.27)$$

k - , p -

$$(k, p) \quad (3.27)$$

:

)

k,

)

p,

-

p.

$$\arg(c) \quad (3.27)$$

$$\arg(c) = \begin{cases} c, & c < T_c, \\ T_c - (c - T_c) \cdot \frac{T_c}{255 - T_c}, & , \end{cases} \quad (3.28)$$

c - , (2.12), T_c - ,

$$c^* = T_c,$$

Δf

f

.

$$\arg(c) \quad \Delta f = y(\arg(c); k, p)$$

3.8, $T_c = 76.5, k = 1, p = 0.5;$

. 3.9

Δf

$T_c, (T_{c1} = 51,$

$T_{c2} = 76.5, T_{c3} = 102), k = 1, p = 0.5.$

. 3.10.

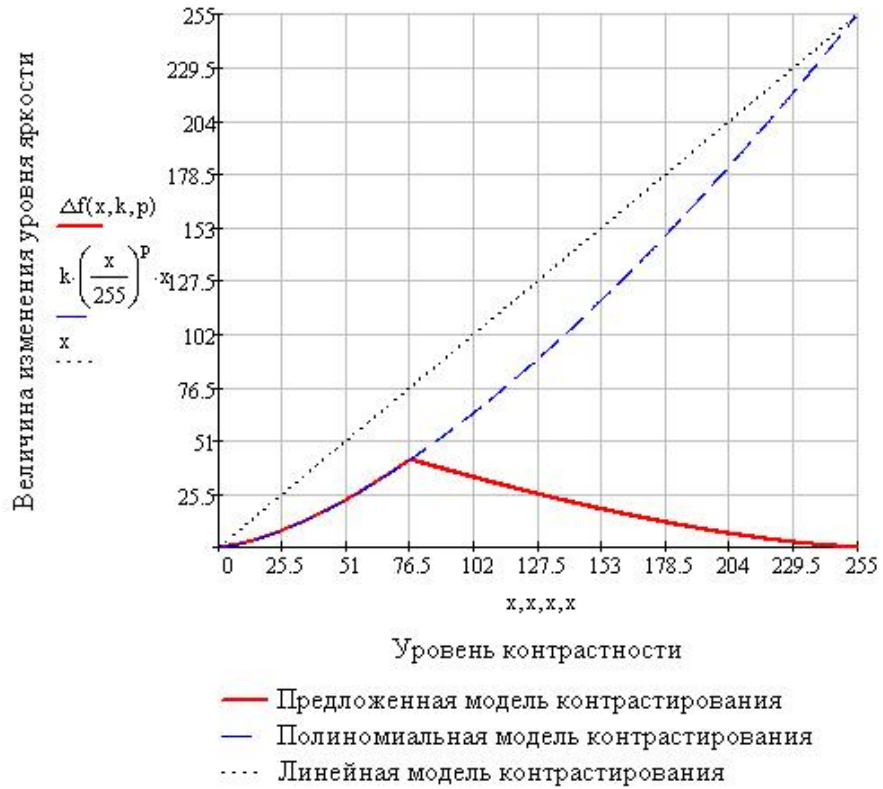
Δf

$k, (k = 0.5, k = 1, k = 1.5), T_c = 76.5, p = 0.5,$

3.11 –

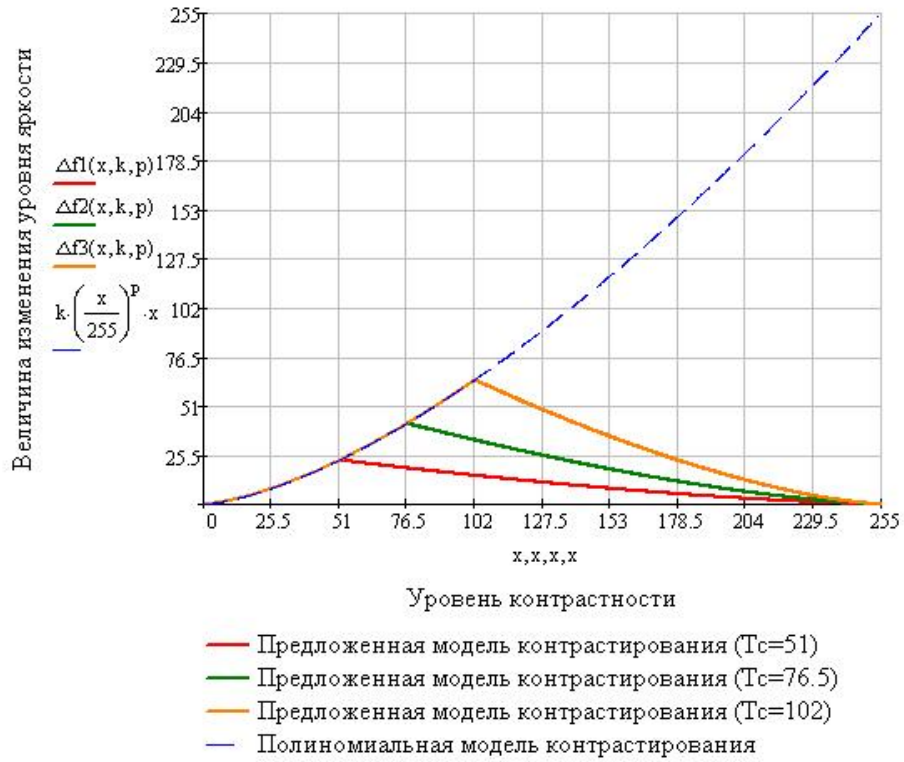
Δf

$p, (p = 0.5, p = 1, p = 1.5), T_c = 76.5, k = 1.$



3.8 –

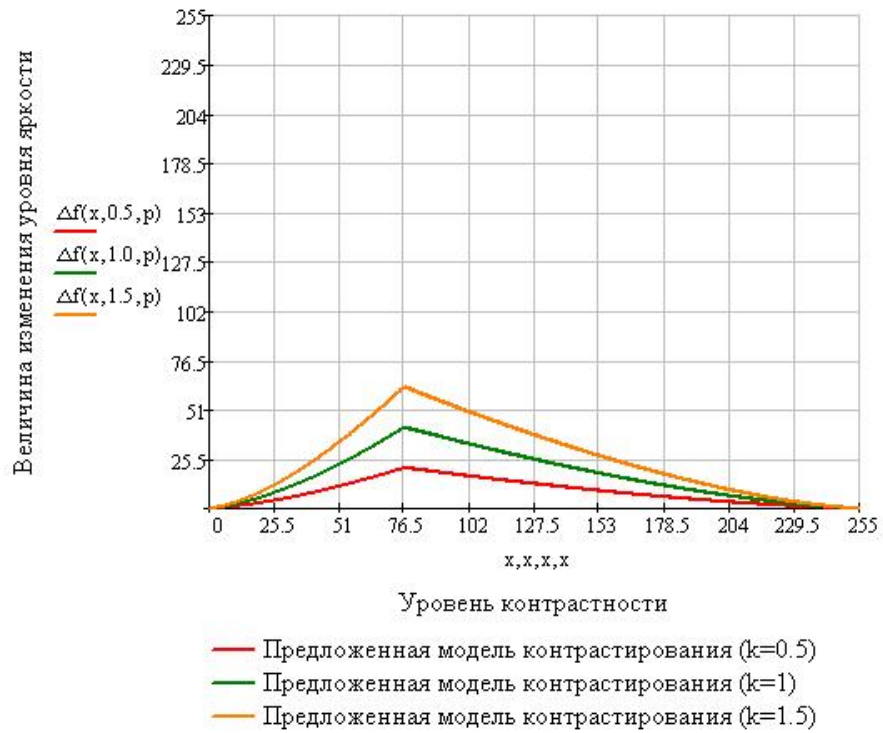
Δf



3.9 –

Δf ,

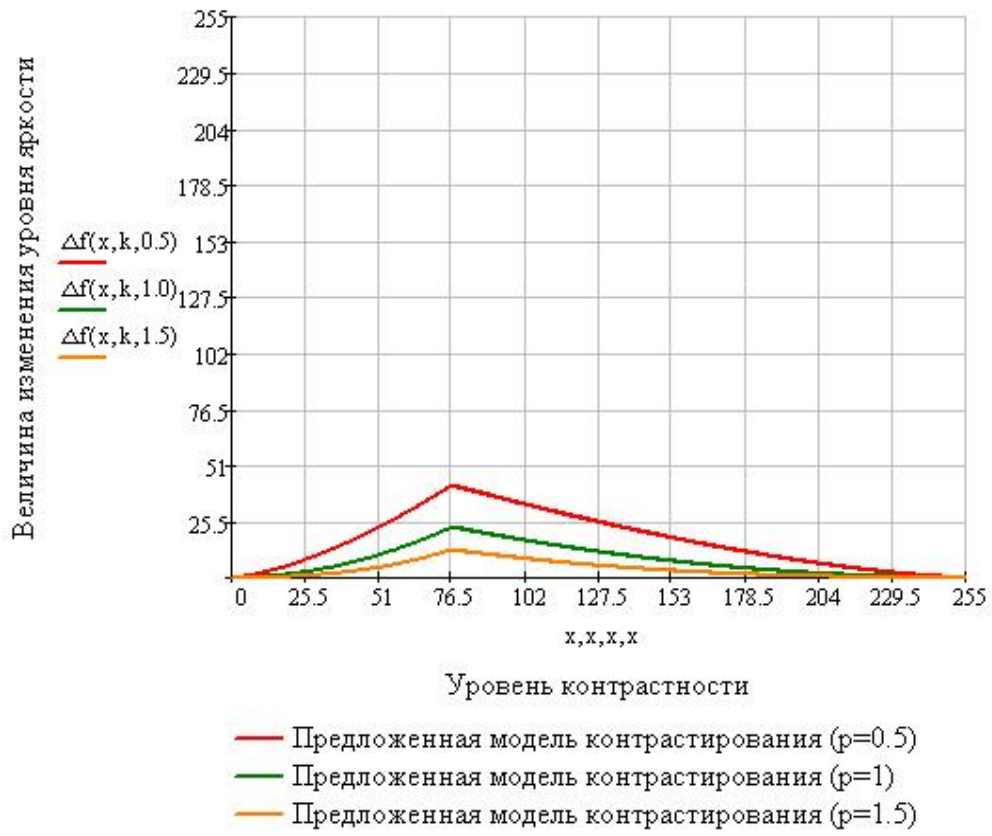
T_c



3.10 –

Δf ,

k



3.11 –

Δf ,

p

3.2.2

(is -),

3.4.

1.

$$\Delta f = \Delta f(c).$$

[0,...,255],

,

(3.27)

(3.28)

$$\Delta f = \Delta f(c), \quad c = 0, \dots, 255.$$

2. .
:

) u_i u_0
 u_n ;

) c sn

$$\begin{cases} sn = \frac{u_0}{|u_0|}, c = |u_0|, & |u_0| \geq |u_n|, \\ sn = \frac{u_n}{|u_n|}, c = |u_n|, & , \end{cases} > 0; \quad (3.29)$$

) c sn $\Delta f = \Delta f(c)$
 f' (3.25).

3. .

, $\Delta f = \Delta f(c)$

is -

:
) , ,

;

) ,

;

) ,

[a, b]

1)

;

2)

.

[1, 9],

h^*

$T_n: h^* > T_n, ($

),

(ns-).

2.

[a, b]

hc-

- hcc-

$$c_s = v / \mu, \quad (3.18).$$

3.

$$c_s > 1,$$

c_s ,

1.5.

(1),

c_s

$$T_s : c_s > T_s,$$

()

[5].

.3.12

.3.13.

4.

()

g^*

$$T_g : g^* > T_g,$$

2.2),

shn- (

, (3) (4)
 5.

, , ,
 , ,
 , -
 , , c^*
 $T_c: c^* < T_c,$
 : 1) , 2)
 , 3) 4) .

(2.3).

6. , c^*
 $: T_c: c^* < T_c,$
 is -

(3.25).

7.

(tm-) (2.1)

(),

(),

8.

c *

$T_c: c^* < T_c,$

sms -

(.3.14).



3.14 –

(

3.13)

sms -

(3.32), $\lambda = 1$

3.14,

$\lambda = 1$

(3.14),

(3.8), (3.15) – (3.17).

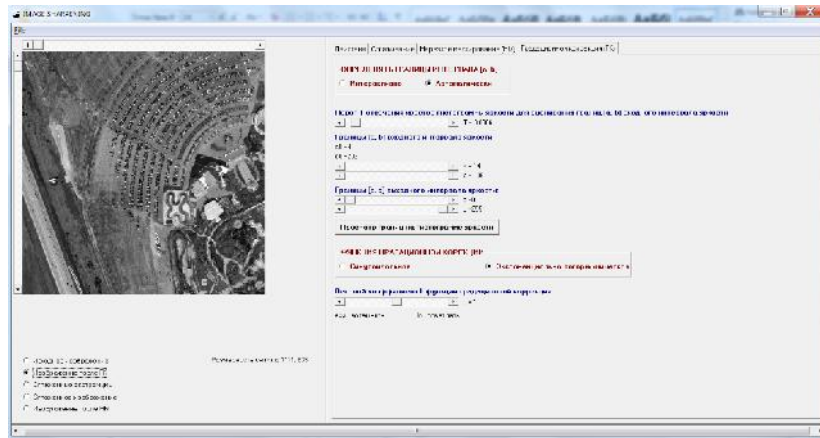
hcc- .

«IMAGE SHARPENING»

« ()»,

« ()»

« (. 3.16).



3.16 – « ()»

: ns- ,

«IMAGE SHARPENING»

« ()»,

(3.25),
(3.28).

(3.26) –

is - (3.4),

«IMAGE

SHARPENING»

« ()»,

« »»,

«

()»

« » (.3.18).

c_s

[2,...,3];

3.15,

$c_s = 2.8$ (.3.16).

1.5 –

2.5 .



3.18 –

«

()»

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- 01.05.02 / . - ., 2005. - 162 .
12. / , - :
, 2004. - 545 .
13. -
/ - : , 2001. - 199 .
14. /
. - : , 2003. - 784 .
15. 1 / - :
, 1982. - 312 .
16. 2 / - :
, 1982. - 480 .
17. /
, - : , 1990. - 320 .
18. 1 / - :
, 1979. - 221 .
19. 2 / - :
, 1981. - 211 .