

ДОДАТОК А

Адаптованість системи, що допускає катастрофу типу збірки

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Clear["Global`*"]
{a22, a11} = {3, 1};
v = Re[a20 /. First[
  N[Simplify[Solve[a11 ==  $\frac{1}{\sqrt{3}} * (a20)^{1/2} * (a22 - a20) + \frac{2}{3\sqrt{3}} (a20)^{3/2}$ , a20]]]]];
n = Re[a20 /. First[N[Simplify[Solve[
  a11 ==  $-\frac{1}{\sqrt{3}} * (a20)^{1/2} * (a22 - a20) - \left(\frac{2}{3\sqrt{3}} (a20)^{3/2}\right)$ , a20]]]]];
Pv = a2 *  $\sqrt{\frac{v}{3}}$  - v  $\sqrt{\frac{v}{3}}$  +  $\frac{2}{3\sqrt{3}} * (v)^{3/2}$ ;
Pn = -a2 *  $\sqrt{\frac{n}{3}}$  + n  $\sqrt{\frac{n}{3}}$  -  $\frac{2}{3\sqrt{3}} * (n)^{3/2}$ ;
Kv = N[ $\sqrt{\frac{v}{3}}$ ];
Kn = N[ $-\sqrt{\frac{n}{3}}$ ];
φv = ArcTan[Kv] / Degree;
φn = ArcTan[Kn] / Degree;
φ = Abs[φv] + Abs[φn];
Print["Угол адаптируемости ", φ, "°"]
Plot[{- (2 / (3 * (31/2))) * a23/2, (2 / (3 * (31/2))) * a23/2, Pv, Pn}, {a2, 0, 15},
  Epilog -> {AbsolutePointSize[5], Point[{a22, a11}]}, AspectRatio -> Automatic]

Clear["Global`*"]
{x0, y0, R, n, m, a} = {3, 1, 5, 3, 5, - (π/3)};
Show[Plot[{- (2 / (3 * (31/2))) * a23/2, (2 / (3 * (31/2))) * a23/2}, {a2, 0, 5},
  Epilog -> {AbsolutePointSize[5], Point[{x0, y0}]}, AspectRatio -> Automatic],
  ParametricPlot[{{x0 +  $\frac{R * \cos[t]}{n} \cos[a] - \frac{R * \sin[t]}{m} \sin[a]$ ,
    y0 +  $\frac{R * \cos[t]}{n} \sin[a] + \frac{R * \sin[t]}{m} \cos[a]$ }, {t, 0, 2 Pi}}]]
V = Length[NSolve[{0 == -A2 + x0 +  $\frac{R * \cos[t]}{n} \cos[a] - \frac{R * \sin[t]}{m} \sin[a]$ ,
  0 == -A1 + y0 +  $\frac{R * \cos[t]}{n} \sin[a] + \frac{R * \sin[t]}{m} \cos[a]$ ,
  (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}, {A1, A2, t}]];
Nn = Length[NSolve[{0 == -A2 + x0 +  $\frac{R * \cos[t]}{n} \cos[a] - \frac{R * \sin[t]}{m} \sin[a]$ ,
  0 == -A1 + y0 +  $\frac{R * \cos[t]}{n} \sin[a] + \frac{R * \sin[t]}{m} \cos[a]$ ,
  - (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}, {A1, A2, t}]];

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Yv = 0;
Yn = 0;
If[V == 2,
  Yv =
    (Abs[ (t /. First[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ , 0 ==
      -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
      (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}, {A1, A2, t}]]] -
      (t /. Last[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,
      0 == -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
      (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}, {A1, A2, t}]]]) ] ) /
    Degree];
If[Nn == 2,
  Yn =
    (Abs[ (t /. First[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ , 0 ==
      -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
      - (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}, {A1, A2, t}]]] -
      (t /. Last[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,
      0 == -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
      - (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}, {A1, A2, t}]]]) ] ) /
    Degree];
Y = (360 - (Yv + Yn));
If[V == 2 || Nn == 2, Print["Угол адаптируемости ", Y, "°"]]
If[V == 2,
  Lvx = Min[A2 /. First[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,
    0 == -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
    (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}, {A1, A2, t}]]],
    A2 /. Last[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,
    0 == -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
    (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}, {A1, A2, t}]]]]];
If[V == 2,
  Pvx = Max[A2 /. First[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,

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A2 /. Last[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,
0 == -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
- (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}], {A1, A2, t}]]];
If[Nn == 2,
Lny = Max[A1 /. First[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,
0 == -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
- (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}], {A1, A2, t}]],
A1 /. Last[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,
0 == -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
- (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}], {A1, A2, t}]]];
If[Nn == 2,
Pny = Min[A1 /. First[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,
0 == -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
- (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}], {A1, A2, t}]],
A1 /. Last[NSolve[{0 == -A2 + x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ ,
0 == -A1 + y0 +  $\frac{R \cos[t]}{n} \sin[a] + \frac{R \sin[t]}{m} \cos[a]$ ,
- (2 / (3 * (31/2))) * A23/2 - A1 == 0, 0 ≤ t < 2 Pi}], {A1, A2, t}]]];
NE1[x_] := y /. First[Solve[( $\frac{\cos[a] (x - x0) + \sin[a] (y - y0)}{R / n}$ )2 +
( $\frac{\cos[a] (y - y0) - \sin[a] (x - x0)}{R / m}$ )2 == 1, y]];
VE1[x_] := y /. Last[Solve[( $\frac{\cos[a] (x - x0) + \sin[a] (y - y0)}{R / n}$ )2 +
( $\frac{\cos[a] (y - y0) - \sin[a] (x - x0)}{R / m}$ )2 == 1, y]];
min = First[FindMinimum[x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ , {t, 0, 2 Pi}]];
max = First[FindMaximum[x0 +  $\frac{R \cos[t]}{n} \cos[a] - \frac{R \sin[t]}{m} \sin[a]$ , {t, 0, 2 Pi}]];
Sv = 0;
If[V == 2,
Sv = Sv + Re[(Integrate[(VE1[x]) - ((2 / (3 * (31/2))) * x3/2), {x, Lvx, Pvx}]]];
If[V == 2 && Re[First[y /. Solve[y == VE1[x] && x == min, y]]] > Lvy,
Sv = Sv + Re[(Integrate[(VE1[x]) - (NE1[x]), {x, min, Lvx}]]];
If[V == 2 && Re[First[y /. Solve[y == VE1[x] && x == max, y]]] > Pvy,
Sv = Sv + Re[(Integrate[(VE1[x]) - (NE1[x]), {x, Pvx, max}]]];
Sn = 0;
If[Nn == 2,
Sn = Sn + Re[(Integrate[(- ((2 / (3 * (31/2))) * x3/2) - (NE1[x])), {x, Lnx, Pnx}]]];

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If[Nn == 2 && Re[First[y /. Solve[y == VE1[x] && x == min, y]]] < Lny,
  Sn = Sn + Re[(Integrate[(VE1[x]) - (NE1[x]), {x, min, Lnx}]]];
If[Nn == 2 && Re[First[y /. Solve[y == VE1[x] && x == max, y]]] < Pny,
  Sn = Sn + Re[(Integrate[(VE1[x]) - (NE1[x]), {x, Pnx, max}]]];

SE1 = N[Integrate[(VE1[x]) - (NE1[x]), {x, min, max}]];
SF = SE1 - (Sv + Sn);
If[SF > 0, A = (SF / SE1) * 100, A = 0];
If[V == 2 || Nn == 2,
  Print["Площадь адаптируемости ", SF, " из ", SE1, " --- ", A, "%"],
  Print["Область не пересекается с кривыми катастрофы"]];
Show[Plot[{- (2 / (3 * (3^(1/2)))) * a2^(3/2), (2 / (3 * (3^(1/2)))) * a2^(3/2)}, {a2, 0, max + 1},
  Epilog -> {AbsolutePointSize[5], Point[{x0, y0}]}, AspectRatio -> Automatic],
  ParametricPlot[{x0 + (R * Cos[t] / n) Cos[a] - (R * Sin[t] / m) Sin[a],
    y0 + (R * Cos[t] / n) Sin[a] + (R * Sin[t] / m) Cos[a]}, {t, 0, 2 Pi}]]];

Clear["Global`*"]

{xt, yt, R, n, m, a} = {3, 1, 5, 3, 5, - (Pi / 3)};
FR[t_] := 1 - e^(-t^2);
{xt, yt} = {3, 0.5};
Show[Plot[{- (2 / (3 * (3^(1/2)))) * a2^(3/2), (2 / (3 * (3^(1/2)))) * a2^(3/2)}, {a2, 0, 5},
  Epilog -> {AbsolutePointSize[5], Point[{xt, yt}]}, AspectRatio -> Automatic],
  ParametricPlot[{x0 + (R * Cos[t] / n) Cos[a] - (R * Sin[t] / m) Sin[a],
    y0 + (R * Cos[t] / n) Sin[a] + (R * Sin[t] / m) Cos[a]}, {t, 0, 2 Pi}]]];

PR[t_] := FR'[t];
NE1[x_] := y /. First[Solve[(Cos[a] (x - x0) + Sin[a] (y - y0))^2 / (R / n) +
  (Cos[a] (y - y0) - Sin[a] (x - x0))^2 / (R / m) == 1, y]];
VE1[x_] := y /. Last[Solve[(Cos[a] (x - x0) + Sin[a] (y - y0))^2 / (R / n) +
  (Cos[a] (y - y0) - Sin[a] (x - x0))^2 / (R / m) == 1, y]];
min = First[FindMinimum[x0 + (R * Cos[t] / n) Cos[a] - (R * Sin[t] / m) Sin[a], {t, 0, 2 Pi}]];
max = First[FindMaximum[x0 + (R * Cos[t] / n) Cos[a] - (R * Sin[t] / m) Sin[a], {t, 0, 2 Pi}]];

xxv[f_] := Re[Last[x /. NSolve[(2 / (3 * (3^(1/2)))) * x^(3/2) == Tan[f] * (x - xt) + yt, x]]];
xxv[Pi/2] = xt;
xxv[3 Pi/2] = xt;
yyv[f_] := (2 / (3 * (3^(1/2)))) * (xxv[f])^(3/2);
rrv[f_] := Sqrt[((xxv[f]) - xt)^2 + ((yyv[f]) - yt)^2];
xxn[f_] :=
  Re[Last[x /. NSolve[- (2 / (3 * (3^(1/2)))) * x^(3/2) == Tan[f] * (x - xt) + yt, x]]];

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xxn[ $\frac{\pi}{2}$ ] = xt;
xxn[ $\frac{3\pi}{2}$ ] = xt;
yy[n[f_]] := - (2 / (3 * (31/2))) * (xxv[f])3/2;
rrn[f_] :=  $\sqrt{((xxv[f]) - xt)^2 + ((yyv[f]) - yt)^2}$ ;
XXV[f_] := Last[x /. NSolve[VEl[x] == Tan[f] * (x - xt) + yt, x]];
XXV[ $\frac{\pi}{2}$ ] = xt;
XXV[ $\frac{3\pi}{2}$ ] = xt;
YYV[f_] := VEl[XXV[f]];
RRV[f_] :=  $\sqrt{((XXV[f]) - xt)^2 + ((YYV[f]) - yt)^2}$ ;
XXN[f_] := Last[x /. NSolve[NEl[x] == Tan[f] * (x - xt) + yt, x]];
XXN[ $\frac{\pi}{2}$ ] = xt;
XXN[ $\frac{3\pi}{2}$ ] = xt;
YYN[f_] := NEl[XXN[f]];
RRN[f_] :=  $\sqrt{((XXN[f]) - xt)^2 + ((YYN[f]) - yt)^2}$ ;

maxf = First[f /. Solve[ $\frac{yt - VEl[max]}{xt - max} == \text{Tan}[f], f]$ ];
If[maxf < 0, maxf = maxf + 2  $\pi$ , maxf = maxf];
minf = First[f /. Solve[ $\frac{yt - VEl[min]}{xt - min} == \text{Tan}[f], f]$ ] +  $\pi$ ;
Of = First[f /. Solve[ $\frac{yt}{xt} == \text{Tan}[f], f]$ ] +  $\pi$  + 0.001;
arf = Sort[{0, minf, Of, maxf, 2.  $\pi$ }] ;
arf1 = {0, maxf, Of, minf, 2.  $\pi$ };
arf2 = {0, maxf, minf, Of, 2.  $\pi$ };
arf3 = {0, Of, minf, maxf, 2.  $\pi$ };
arf4 = {0, minf, Of, maxf, 2.  $\pi$ };

If[arf == arf1,
  Ich = (N[Sum[PR[(f) / 360] * (Min[Re[rrv[(f) / 360]], Re[RRN[(f) / 360]]]) *
    (1 / 360), {f, (arf[[1]]) * 360, (arf[[2]]) * 360}]] +
    (N[Sum[PR[(f) / 360] * (Min[Re[rrv[(f) / 360]], Re[RRV[(f) / 360]]]) *
    (1 / 360), {f, (arf[[2]]) * 360, (arf[[3]]) * 360}]] +
    (N[Sum[PR[(f) / 360] * (Min[Re[rrn[(f) / 360]], Re[RRV[(f) / 360]]]) *
    (1 / 360), {f, (arf[[3]]) * 360, (arf[[4]]) * 360}]] +
    (N[Sum[PR[(f) / 360] * (Min[Re[rrn[(f) / 360]], Re[RRN[(f) / 360]]]) *
    (1 / 360), {f, (arf[[4]]) * 360, (arf[[5]]) * 360}]]]);
If[arf == arf2,
  Ich = (N[Sum[PR[(f) / 360] * (Min[Re[rrv[(f) / 360]], Re[RRN[(f) / 360]]]) *
    (1 / 360), {f, (arf[[1]]) * 360, (arf[[2]]) * 360}]] +
    (N[Sum[PR[(f) / 360] * (Min[Re[rrv[(f) / 360]], Re[RRV[(f) / 360]]]) *
    (1 / 360), {f, (arf[[2]]) * 360, (arf[[3]]) * 360}]] +
    (N[Sum[PR[(f) / 360] * (Min[Re[rrv[(f) / 360]], Re[RRN[(f) / 360]]]) *
    (1 / 360), {f, (arf[[3]]) * 360, (arf[[4]]) * 360}]] +
    (N[Sum[PR[(f) / 360] * (Min[Re[rrn[(f) / 360]], Re[RRN[(f) / 360]]]) *
    (1 / 360), {f, (arf[[4]]) * 360, (arf[[5]]) * 360}]]]);
If[arf == arf3,
  Ich = (N[Sum[PR[(f) / 360] * (Min[Re[rrv[(f) / 360]], Re[RRV[(f) / 360]]]) *
    (1 / 360), {f, (arf[[1]]) * 360, (arf[[2]]) * 360}]] +

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(N[Sum[PR[(f)/360]]*(Min[Re[rrn[(f)/360]], Re[RRV[(f)/360]])]*(
  (1/360), {f, (arf[[2]])*360, (arf[[3]])*360}])] +
(N[Sum[PR[(f)/360]]*(Min[Re[rrn[(f)/360]], Re[RRN[(f)/360]])]*(
  (1/360), {f, (arf[[3]])*360, (arf[[4]])*360}])] +
(N[Sum[PR[(f)/360]]*(Min[Re[rrn[(f)/360]], Re[RRV[(f)/360]])]*(
  (1/360), {f, (arf[[4]])*360, (arf[[5]])*360}]]];
If[arf == arf4,
  Ich = (N[Sum[PR[(f)/360]]*(Min[Re[rrv[(f)/360]], Re[RRV[(f)/360]])]*(
    (1/360), {f, (arf[[1]])*360, (arf[[2]])*360}])] +

    (N[Sum[PR[(f)/360]]*(Min[Re[rrv[(f)/360]], Re[RRN[(f)/360]])]*(
      (1/360), {f, (arf[[2]])*360, (arf[[3]])*360}])] +
    (N[Sum[PR[(f)/360]]*(Min[Re[rrn[(f)/360]], Re[RRN[(f)/360]])]*(
      (1/360), {f, (arf[[3]])*360, (arf[[4]])*360}])] +
    (N[Sum[PR[(f)/360]]*(Min[Re[rrn[(f)/360]], Re[RRV[(f)/360]])]*(
      (1/360), {f, (arf[[4]])*360, (arf[[5]])*360}]]];
If[maxf < minf,
  Iz = (N[Sum[PR[(f)/360]]*(Re[RRN[(f)/360]])]*(1/360),
    {f, (0)*360, (maxf)*360}])] +
    (N[Sum[PR[(f)/360]]*(Re[RRV[(f)/360]])]*(1/360),
    {f, (maxf)*360, (minf)*360}])] +
    (N[Sum[PR[(f)/360]]*(Re[RRN[(f)/360]])]*(1/360),
    {f, (minf)*360, (2 π)*360}]]],
  Iz = (N[Sum[PR[(f)/360]]*(Re[RRV[(f)/360]])]*(1/360),
    {f, (0)*360, (minf)*360}])] +
    (N[Sum[PR[(f)/360]]*(Re[RRN[(f)/360]])]*(1/360),
    {f, (minf)*360, (maxf)*360}])] +
    (N[Sum[PR[(f)/360]]*(Re[RRV[(f)/360]])]*(1/360),
    {f, (maxf)*360, (2 π)*360}]]];
Adapt = (Ich / Iz) * 100;
Print["Адаптируемость --- ", NumberForm[Adapt, 3], "%"]
Show[Plot[{- (2 / (3 * (3^(1/2)))) * a2^(3/2), (2 / (3 * (3^(1/2)))) * a2^(3/2)}, {a2, 0, max + 1},
  Epilog -> {AbsolutePointSize[5], Point[{xt, yt}]}, AspectRatio -> Automatic],
  ParametricPlot[{x0 + (R * Cos[t] / n) Cos[a] - (R * Sin[t] / m) Sin[a],
    y0 + (R * Cos[t] / n) Sin[a] + (R * Sin[t] / m) Cos[a]}, {t, 0, 2 Pi}]]]

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ВІДОМІСТЬ АТЕСТАЦІЙНОЇ РОБОТИ

Позначення	Найменування	Дод. відомості
	Текстові документи	
1	Пояснювальна записка	70 с.
2	Презентаційний матеріал	25 с.
	Інші документи	
3	Роздруківки програм	7 с.
4	Рецензія	2 с.
5	Відгук керівника	1 с.

					Дослідження адаптованості динамічних процесів в системах з захистом					
Змін	Арк.	Номер докум.	Підп.	Дата	(Тема роботи) Відомість атестаційної роботи				Аркуш	Аркушів
Розроб.	Семенцова Н.А.									
Перевір.	Наумейко І.В.									
Н. контр.	Сидоров М.В.					ХНУРЕ				
Затв.	Гевяшев А.Д.					Кафедра ПМ				

