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3. VHDL 

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3		22.04.20-27.04.20	
4		28.04.20-05.05.20	
		06.05.20-10.05.20	
6		11.05.20-13.05.20	

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## ABSTRACT

Master's thesis: 105 pages, 17 figures, 4 tables, 1 appendices, 41 sources.

DISCRETE-EVEN SYSTEM, MANAGING PROGRAM of MODELING,  
SIMULATION MODEL, PROGRAM MODEL, ELECTRONIC SYSTEMS.

Object of research of the degree project is the algorithmic model complex discrete - even systems and creation on its basis of structure of simulation system.

The analysis of the characteristics of electronic components is released and the requirements to their models of a system level are offered. The means of the structural description of electronic components of a system level on a basis of processor of the approach are considered.

The structure and the basic components of object-oriented simulation systems are offered. The processor-based algorithm of simulation of discrete systems is developed.

The algorithms of scheduling of events, algorithm of modification of temporary coordinate, are creating.

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2.2				38
2.3				42
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3	'	-		
				60
3.1				60
3.2				63
3.3				69
3.4				74
4				86
4.1		,	-	86
4.2				89
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				96
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 1.1,  $\langle(t) -$   
 $t, m -$ ,  $\Psi\langle(t) -$   
 $(\Psi -$   
 ). :

$$m \frac{d^2 \langle(t)}{dt^2} + \Psi \langle(t) = 0. \tag{1.1}$$

$$\check{S}_0 = \frac{\Psi}{m} \quad \langle(t) = Z, \tag{1.1}$$

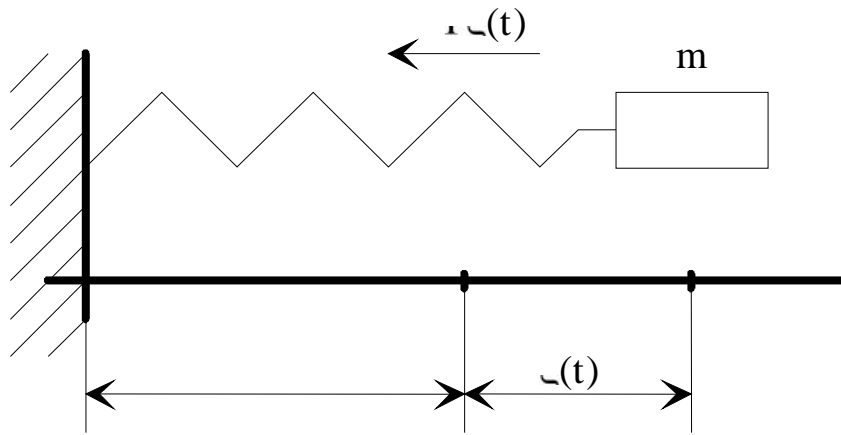
:

$$\frac{d^2 Z}{dt^2} + \check{S}_0 Z = 0. \tag{1.2}$$

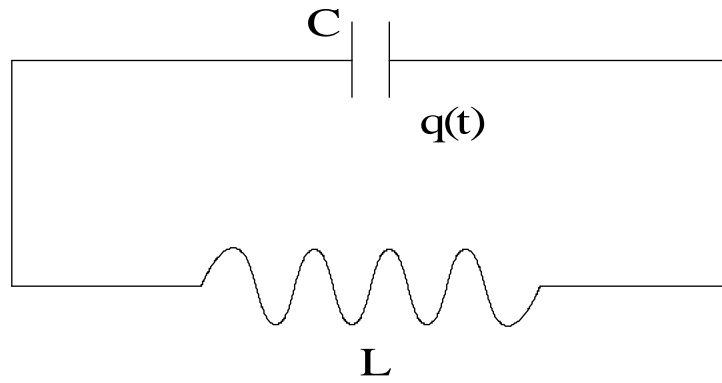
1.1, ). C, t  
 $q(t)$ , L, :

$$L \frac{d^2 q(t)}{dt^2} + \frac{q(t)}{C} = 0.$$

$$\xi_0 = \frac{1}{LC}, \quad q(t) = Z, \quad (1.2).$$



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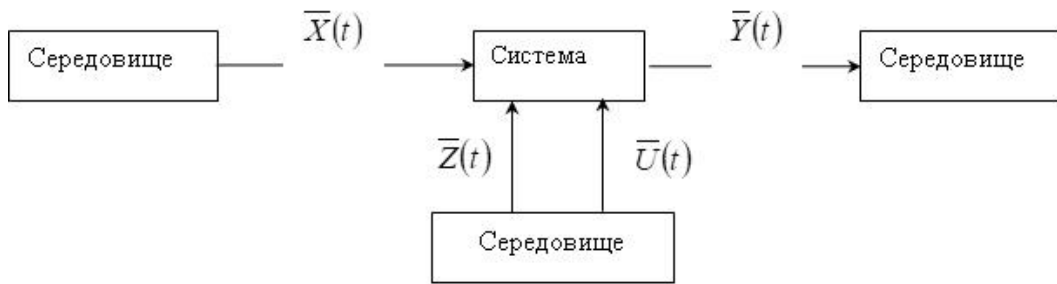
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$\bar{X}(t)$  – , , .

$\bar{Z}(t)$  – , , .

$\bar{U}(t)$  – ( ) , , .

$\bar{Y}(t)$  – , , .

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$\bar{X}(t), \bar{Z}(t), \bar{U}(t), \bar{Y}(t)$

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$\bar{X}(t), \bar{Z}(t), \bar{U}(t)$  ,  $\bar{Y}(t)$  – .

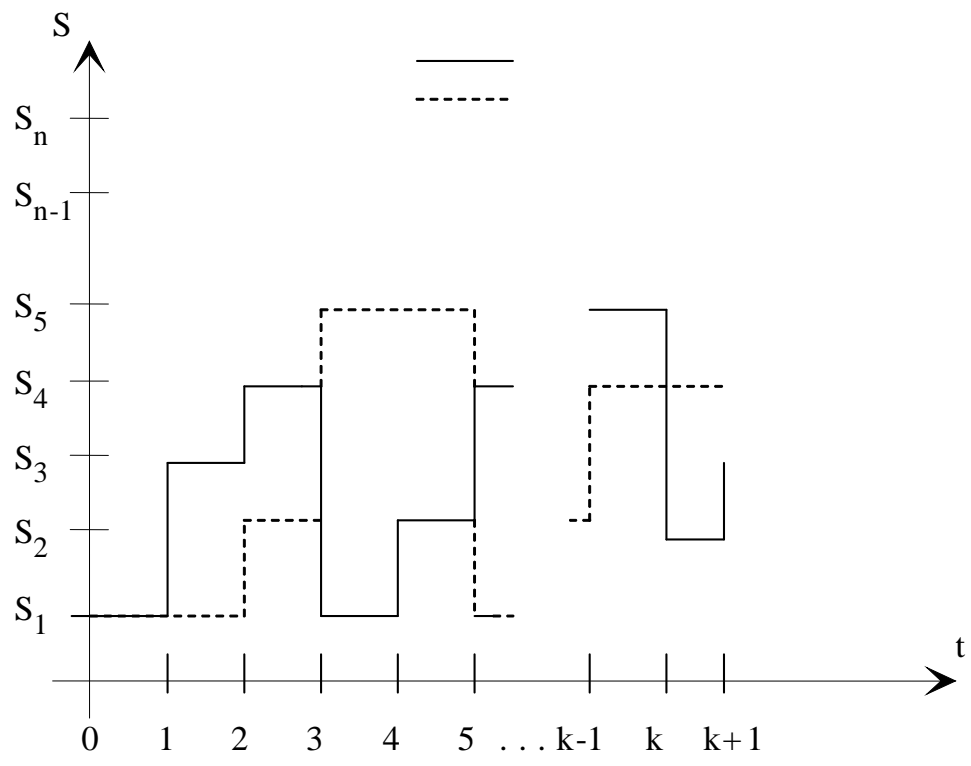
,  $\bar{Y}(t)$   $\bar{U}(t)$ ,  
 $\bar{X}(t) \bar{Z}(t)$ .

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$$\bar{S}' = (S'_1, S'_2, \dots, S'_k), \bar{S}'' = (S''_1, S''_2, \dots, S''_k)$$

,  $S'_i = S_i(t')$ ,  $S''_i = S_i(t'')$  — i-  
 ,  $t'$   $t''$ .



k-

$$(1.3).$$

$S_i(t)$

$S_i^0$

$t_0$

$$M = \{S^0, F, G, \bar{X}(t), \bar{Z}(t), \bar{U}(t)\}, \tag{1.3}$$

F G-

$$\bar{S}(t) = G(\bar{X}(t), \bar{Z}(t), \bar{U}(t), \bar{S}(\dagger), \dagger < t) \tag{1.4}$$

$$\bar{Y}(t) = F(\bar{X}(t), \bar{Z}(t), \bar{U}(t), \bar{S}(\dagger), \dagger < t). \tag{1.5}$$

(1.3, 1.4 1.5)

$y_i(t)$

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$\bar{Y}(t)$

F G

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 Z̄(t) ,  
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$$\bar{S}(t) = G(\bar{X}(t), \bar{Z}(t), \bar{U}(t), \bar{S}(\dagger), \dagger < t)$$

$$\bar{Y}(t) = F(\bar{X}(t), \bar{U}(t), \bar{S}(t), t < t). \quad (1.6)$$

,  
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 (1.4 1.5) :

$$\bar{S}(t) = G(\bar{X}, \bar{Z}, \bar{U}, \bar{S})$$

$$\bar{Y} = F(\bar{X}, \bar{Z}, \bar{U}). \quad (1.7)$$

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 (1.4 1.5).  
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 S(t), ,  
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S(t) S\_j (j = 0, n) t, S(t) = j.  
 S\_i(t)

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$(O, T)$  .  
 $T = m\Delta t$  ,  $\Delta t$  - ,  $m$  - .

## 1.2



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$$\bar{S} \quad (1.4)$$

$$\bar{Y} \quad (1.4).$$

$\bar{Y}$

$$\Delta y_i \leq \Delta_i,$$

$$(1.8)$$

$$\Delta y_i = |y_i^0 - y_i^m|$$

i-

$y_i^0$

$y_i^m$ ;

$\Delta_i$

$\Delta y_i$

$$\bar{\Delta y} \leq \bar{\Delta}.$$

1.3.

S

$\bar{X}$

$\bar{Y}$ .

1.3 S' -

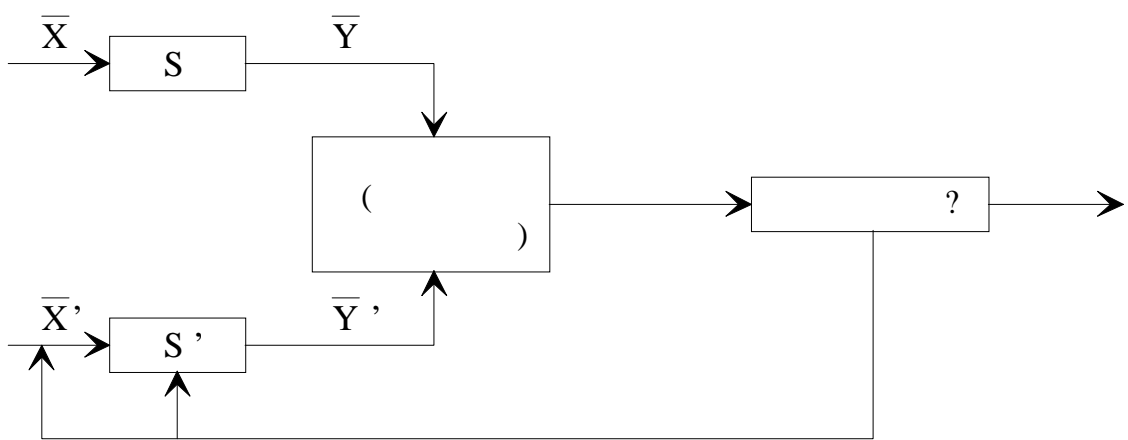
S. S',

X',

$\bar{Y}'$ .

$\bar{y}$   $\bar{y}'$

1.4.



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$y^o$



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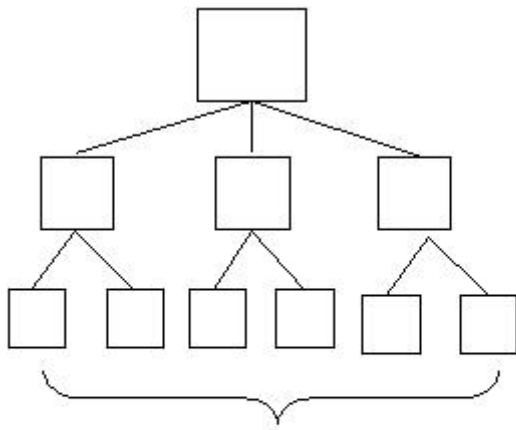
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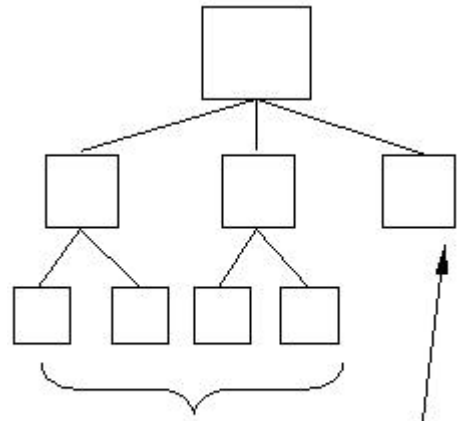
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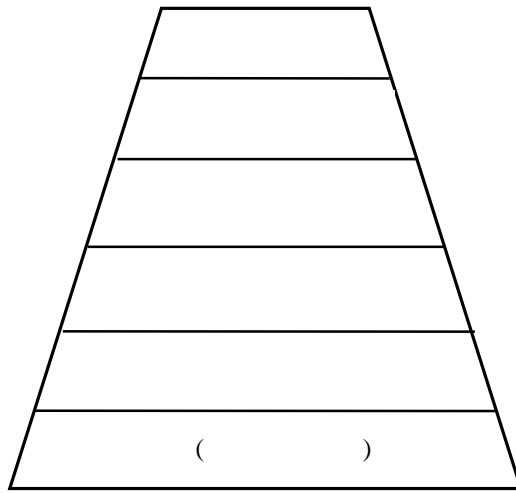
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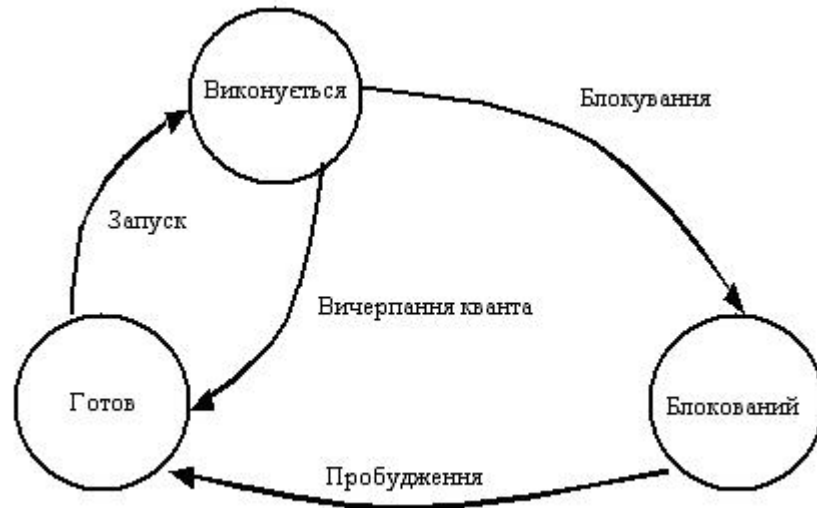
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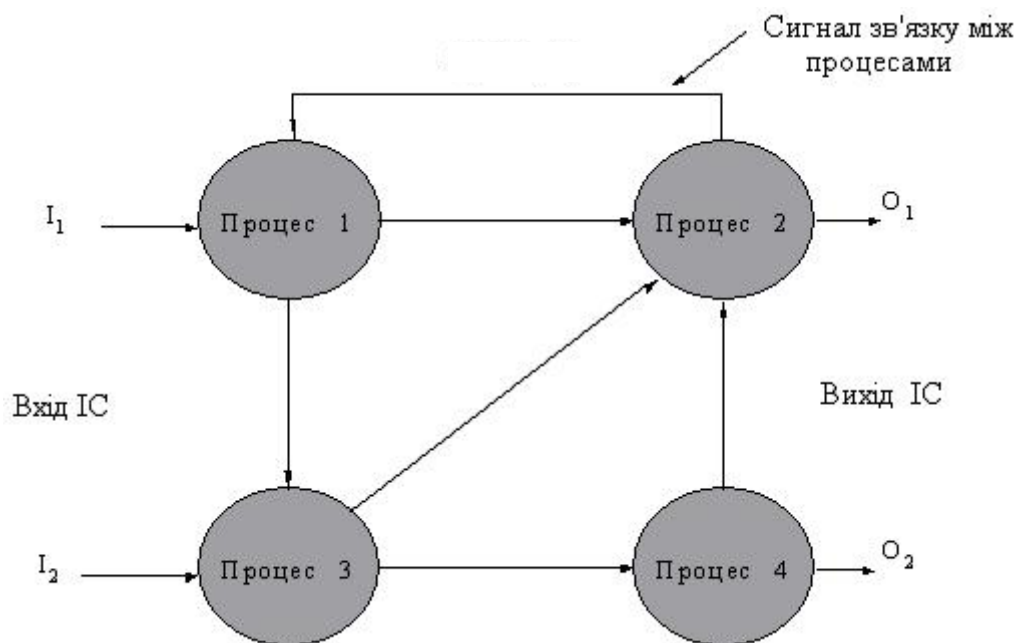
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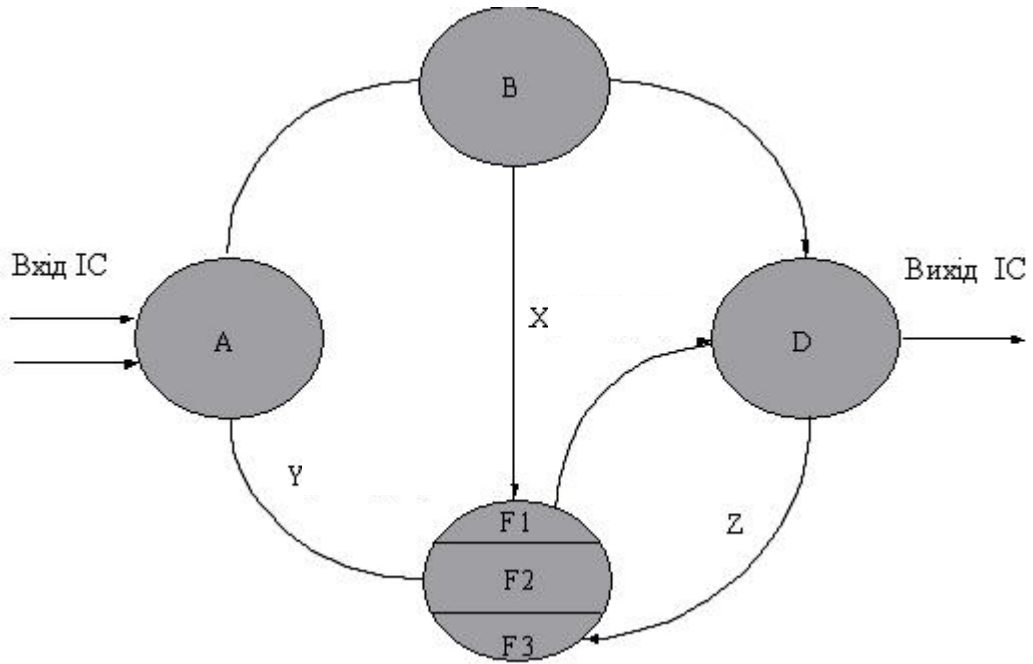


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( 2.5).



2.5 -

: F1, F2, F3.

VHDL,

```

process (X, Y) ----- F1
  -----
end process

process (X, Z) ----- F2
  -----
end process

process (Y, Z) ----- F3
  -----
end process
    
```

2.1 –

VHDL

2.5,

: X, Y Z,

( 2.6),

$t \in T, T = [0, \infty)$ .

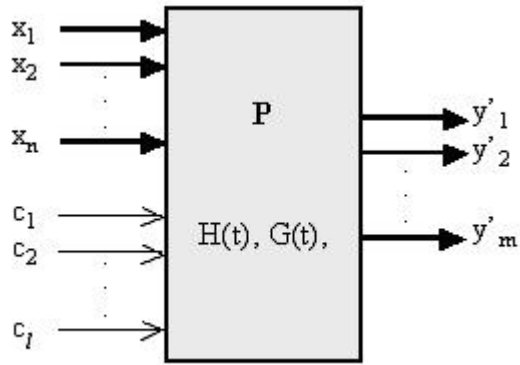
$$x = (x_1, x_2, \dots, x_n)$$

$x(t)$ .

$$c = (c_1, c_2, \dots, c_l)$$

$c(t)$ .

,  $X_i$   $i$  ,  
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 ,  
 X ,



2.6 -

$x$ ,

$c(t)$ .

$$y' = (y_1', y_2', \dots, y_m'), \quad y'(t).$$

$$y_i' = (y_i, \Delta t_i, a_i),$$

$$y_i^- \quad y_i$$

Y.

$$\Delta t_i \quad i-$$

$$y_i \cdot \Delta t \in T, T = [0, \infty);$$

$$a_i \quad ,$$

$$a_i \in A.$$

$$(\quad)$$

(IP) . . .

$$\bar{z} = (z_1, z_2, \dots, z_k). \quad Z$$

$$z(t).$$

$$m_i \in M, M = \{active, sleep, \dots\}, \quad active -$$

sleep –

[17]

( ) .

,  $D_1, D_2 \dots$

(

) –

,  $(x_i \leq 1)[D_1, (x_i > 0)[D_2, D_3]]$

U, – F.

,  $n - m + 1 -$

m –

, n –

$$\prod_{i=m}^n (U_i)[D_i],$$

$$i \in [m, n].$$

$D_i,$

$t_0=0,$

$D_{init}.$

IP

ready.

$t \in [0, \infty)$

$$z(t_2) = H_1(z(t_1), x(t_1), c(t_1)),$$

$t_1 -$

;

$t_2 -$

,

$t_1$

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$t_1 -$

,

wait

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wait (( ), ( ), ( )).

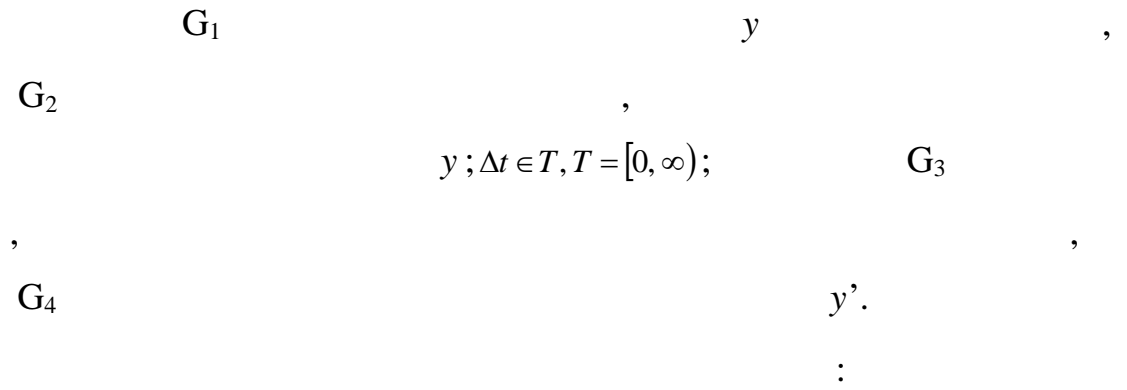
:

$$y(t_2) = G_1(z(t_1), x(t_1), c(t_1));$$

$$\Delta t(t_2) = G_2(z(t_1), x(t_1), c(t_1));$$

$$a(t_2) = G_3(z(t_1), x(t_1), c(t_1));$$

$$y'(t_2) = G_4(y(t_2), \Delta t(t_2), a(t_2)),$$



$$y'_i := y_i \& \Delta t_i \& a_i,$$



wait.

$$wait(\{c_i\}_{i=0}^n, U, t_d).$$

(sleep),

$$\{c_i\}_{i=0}^n, n -$$

wait.

U -

wait.

wait

sleep.

active

(t<sub>d</sub>),

$$m_i := sleep, D_{ret}, \left( \bigvee_{i=0}^n \overline{stable}(c_i) \right) [(U)[m_i := active]], (t_m \geq t_w)[m_i := active], D_{ret},$$

$$m_i - ;$$

$$D_{ret} - , m_i = sleep;$$

$$stable(c_i) - , \ll \gg, c_i$$

;

$$t_m - ;$$

$$t_w = t_l + t_d - ,$$

wait

Z.

wait

$H_1$  .

wait,

sleep.

$$D_{init}, \prod(U) \left[ [D_1, \dots, D_{i-1}, wait_i]_1, \dots, [D_j, \dots, D_{k-1}, wait_k]_b \right],$$

$D_{init}$  -

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$D_i$  -

$D_{init}$  ( ,  
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	$(t_i)$ , .	$(\Delta t_i)$ , .	,
1	3.2	3.2	3.8
2	10.9	7.7	3.5
3	13.2	2.3	4.2
4	14.8	1.6	3.1
5	17.7	2.9	2.4
6	19.8	2.1	4.3
7	21.5	1.7	2.7
8	26.3	4.8	2.1
9	32.1	5.8	2.5
10	36.6	4.5	3.4

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3.2.

3.2 –

(1)	(2)	(3)	(4)	(5)=(3)-(2)	(6)=(4)-(2))
1	3,2	3,2	7,0	0,0	3,8
2	10,9	10,9	14,4	0,0	3,5
3	13,2	14,4	18,6	1,2	5,4
4	14,8	18,6	21,7	3,8	6,9
5	17,7	21,7	24,1	4,0	6,4
6	19,8	24,1	28,4	4,3	8,6
7	21,5	28,4	31,1	6,9	9,6
8	26,3	31,1	33,2	4,8	6,9
9	32,1	33,2	35,7	1,1	3,6
10	36,6	35,7	40,0	0,0	3,4

3.2

3.1.

6.1.

2.6 5.81

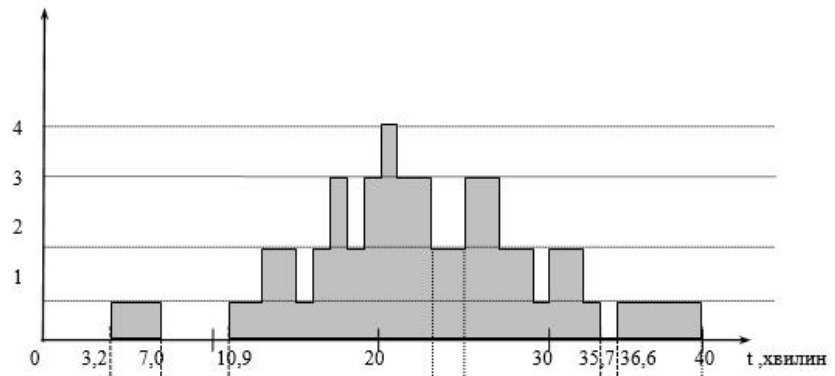
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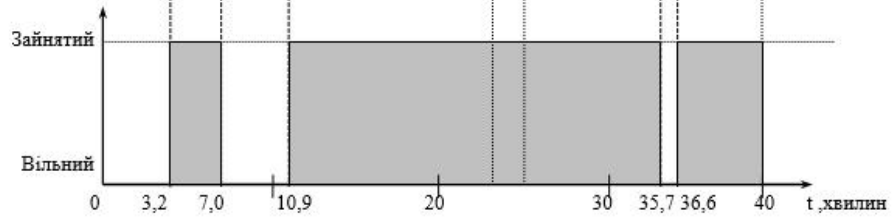
3.3 - -

0,0	-		0	0		-
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7,0	1		0	0		
10,9	2		0	1		3,9
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14,4	2		0	1		
14,8	4		1	2		
17,7	5		2	3		
18,6	3		1	2		
19,8	6		2	3		
21,5	7		3	4		
21,7	4		2	3		
24,1	5		1	2		
26,3	8		2	3		
28,4	6		1	2		
31,1	7		0	1		
32,1	9		1	2		
33,2	8		0	1		
35,7	9		0	0		
36,6	10		0	1		0,9
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Число клієнтів  
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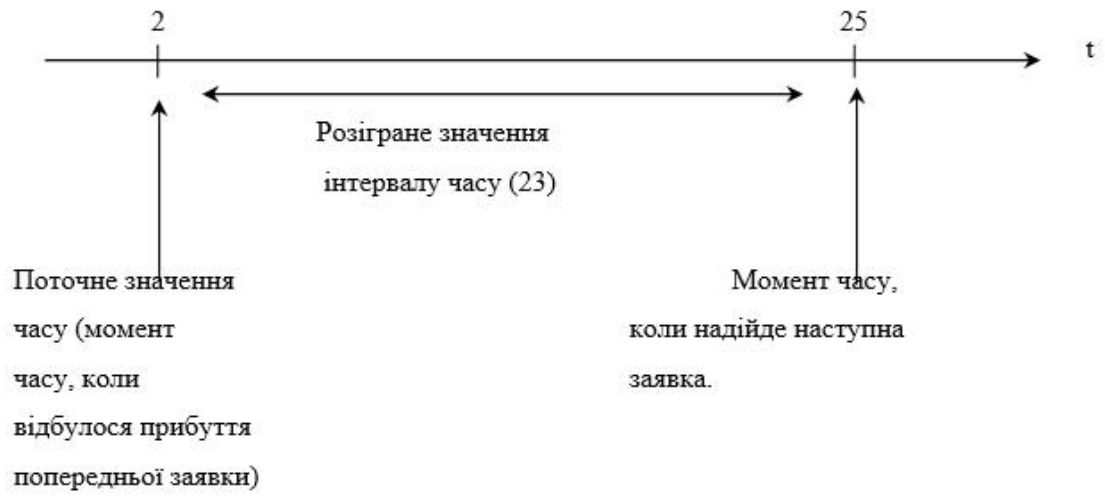
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 , 3.2.

3.4 –

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	? : : , : ; - “ ”.

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3.2 –

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3.3.

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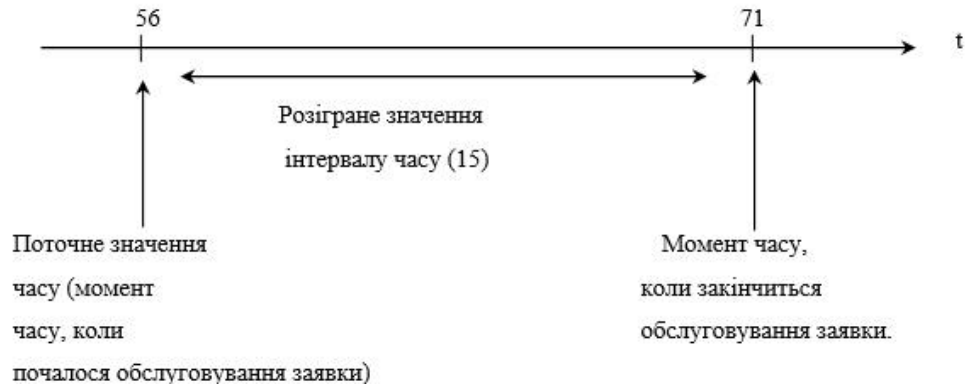
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3.2 – ,

( 3.4),

$R[r, s]$ ,

$N(m, \sigma)$ .

$t_0$  –

-

$n$  –

$t_j'$  –

$t_j''$  –

$t_m$  –

$t$  –

$t$  –

;

;

;

$j$ –

;

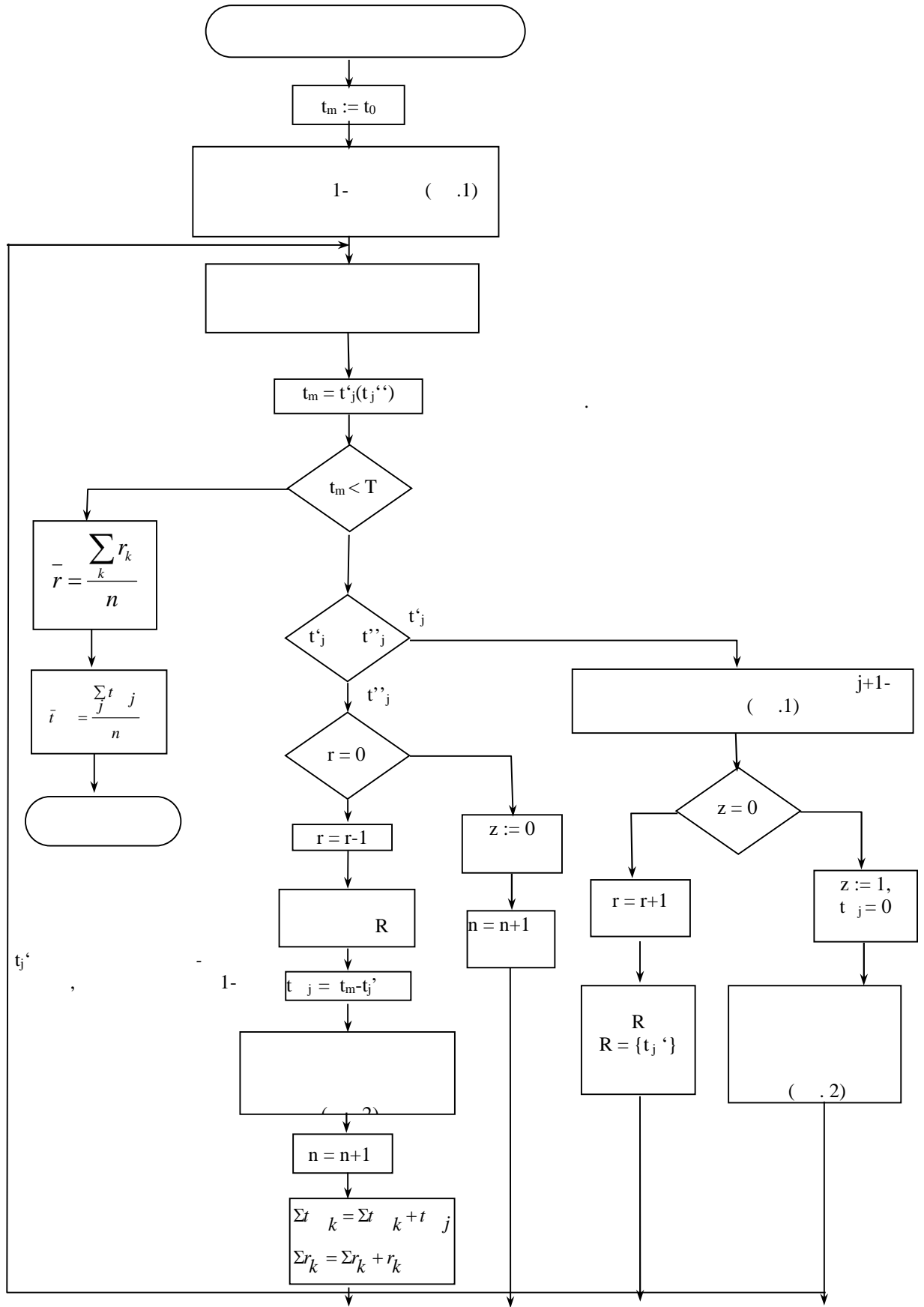
$j$ –

;

;

;

;



$z = 0$  ;  $z=1$  -

$r_k =$  ;

$t_{j-} =$  ;

$M = \{t_j', t_j''\} =$

;

$R = \{t_j'\} =$  ;

$t_m =$  ;

:

)  $t_j' > T$  ;

)  $t_j'' < T$  ;

)  $t_j' < T, t_j'' > T$  ,

.

:

$$\bar{t} = \frac{\sum_j t_j}{n};$$

$$\bar{r} = \frac{\sum_k r_k}{n}.$$

, 1. 2.

### 3.4

( 6.4).

( )

$\bar{Y}(t)$

[12,14,40],

$\bar{X}(t)$ ,

$\bar{U}(t)$  ( 1.2),

$\bar{S}' = (S'_1, S'_2, \dots, S'_k), \bar{S}'' = (S''_1, S''_2, \dots, S''_k)$

$S'_i = S_i(t'), S''_i = S_i(t'')$  —

i-

$\{S'_i\}$

$\bar{S}(t) = (S_1(t), S_2(t), \dots, S_k(t))$ ,

k-

$S_i(t)$   
 $S_i^0$   
 $t_0$   
 $S_i(t_0 + \Delta t)$   
 $t$  (" ").  
 $t_0$   $t_0$   $\Delta t$   
 $t_1 = t_0 + \Delta t$   
 $S_i(t_1)$ ;  $t_2 = t_1 + \Delta t$   
 $t_0, t_1, t_2, \dots$   
 $i$ -  $S_i(t), i = \overline{1, n}$ .

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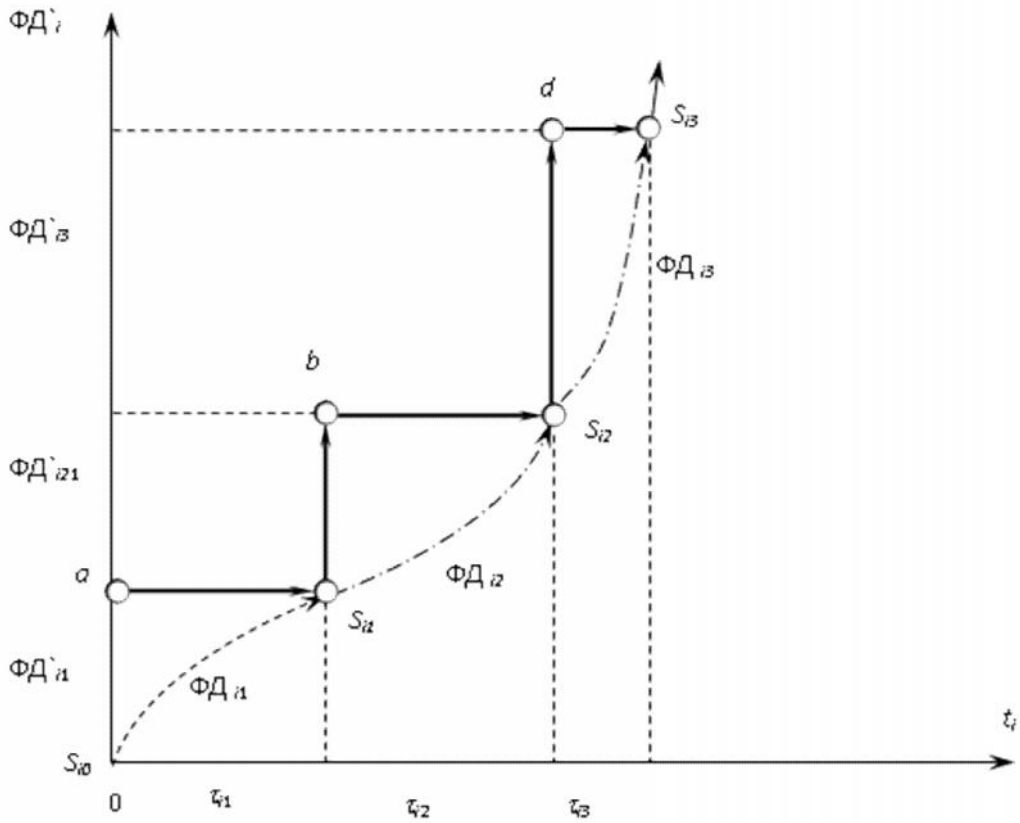
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$\tau_{i3}$  ,  $t_i$  ,  $\tau_{i3}$   $S_{i3}$  .  
 ,  $t_{ij}$  ,  $\tau_{ij}$  .  
 :



3.5 – , i

$\tau_{ij}$  ,  $t_{ij}$  ,  $\tau_{ij}$  .  
 , - “ ” ,  
 ,  $t_{ij}$  ,  $\tau_{ij}$  .  
 (  $t_{ij}, \tau_{ij}$  )  $t_{ij}$  ,  $\tau_{ij}$  .  
 .  
 $S_{ij}$  .



$$S_{ij} \cdot t_m$$

$$ij, \cdot$$

$$'_{ij} t_m.$$

$$ij, '_{ij},$$

$$t_i, t_i.$$

$$t_i :$$

$$t_i = t_m + \tau_{ij}.$$

$$t_i ,$$

$$i \cdot i$$

$$( t_i )_{ij}$$

$$t_i$$

$$S_{ij} , , ,$$

$$ij$$

$$t_i, t_m.$$

$$t_m:$$

$$( 3.6).$$

$$K_i (i=1,2,3). \quad 1$$

$$(S_{11}, S_{12}, S_{13}, S_{14})$$

$$t_1 (t_{11}, t_{12}, t_{13}, t_{14}). \quad K_1$$

$$( \tau_{11}, \tau_{12}, \tau_{13}, \tau_{14} ).$$

$$(\tau_{11},$$

$$\tau_{12}, \tau_{13}, \tau_{14}). \quad ij \quad ( \tau_{1j},$$

$$j=1,2,3,4).$$

2

$$( \tau_{2j}, j=1,2,3)$$

$$(\tau_{2j}),$$

$${}_{2j}^{\prime} \quad , \quad 3$$

$$( \quad {}_{3j}, j=1,2,3)$$

$$(\tau_{3j}), \quad {}_{3j}^{\prime}$$

$$, \quad {}_{ij}^{\prime} \quad ij$$

$$, \quad t_i \quad t_i$$

$$\tau_{ij} \quad ( \quad {}_i^{\prime}, t_i)$$

$$3.6. \quad ( \quad ij, \tau_{ij})$$

$$S_{ij}$$

$$S_{ij}$$

$$t_m.$$

$$6.6 \quad t'_m, \quad \Delta t.$$

$$0, \Delta t_1, 2\Delta t_1, 3\Delta t_1 \quad . \quad s_0,$$

$$s_1, s_2, s_3 \quad .$$

$$( \quad ) \quad S_{ij}, \quad \Delta t.$$

$$6.6, \quad S_{11}, S_{31}, S_{21} \quad (s_0, s_1). \quad ,$$

$$t'_m = \Delta t.$$

$$( \quad {}_{11}, \tau_{11}; \quad {}_{31}, \tau_{31}; \quad {}_{21}, \tau_{21}). \quad t'_m = 2\Delta t$$

$$s_2. \quad , \quad S_{12} \quad S_{22}$$

$$, \quad ( \quad {}_{12}, \tau_{12})$$

$$( \quad {}_{22}, \tau_{22}). \quad t'_m \quad \Delta t,$$

$$s_i \quad , \quad t_{ij}$$

$$S_{ij}$$

$$\Delta t \quad , \quad t'_m \quad ,$$

$$, \quad t'_m.$$

$$t''_m$$

$$m_i,$$

$$t_{ij} \quad .$$

$S_{ij}$ , , ,  
 $t''_m$ , ,  
 $S_{12}$   $S_{22}$  .  
 , , 12  $t_1$   
 $\tau_{12}$ , 22  
 $t_2$   $\tau_{22}$ ,  $t''_m$   
 ,  
 $\tau_{ij}$ ,  $t_i$ .  
 $t_m$   
 :  
 - ,  
 $t_m$ ;  
 - ( ),  
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 - ( )  
 ;  
 -  $t_m$ ;  
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 , .  
 $S_{ij}$ , ,  
 $ij$ , .  
 ,  $t$  .  
 $t_m$  ,  
 $S_{ij}$ ,  
 $\Delta t$  .  
 . - ,  $S_{ij}$

$\Delta t,$

$S_{ij}$

$\tau_{ij},$

$t_m$

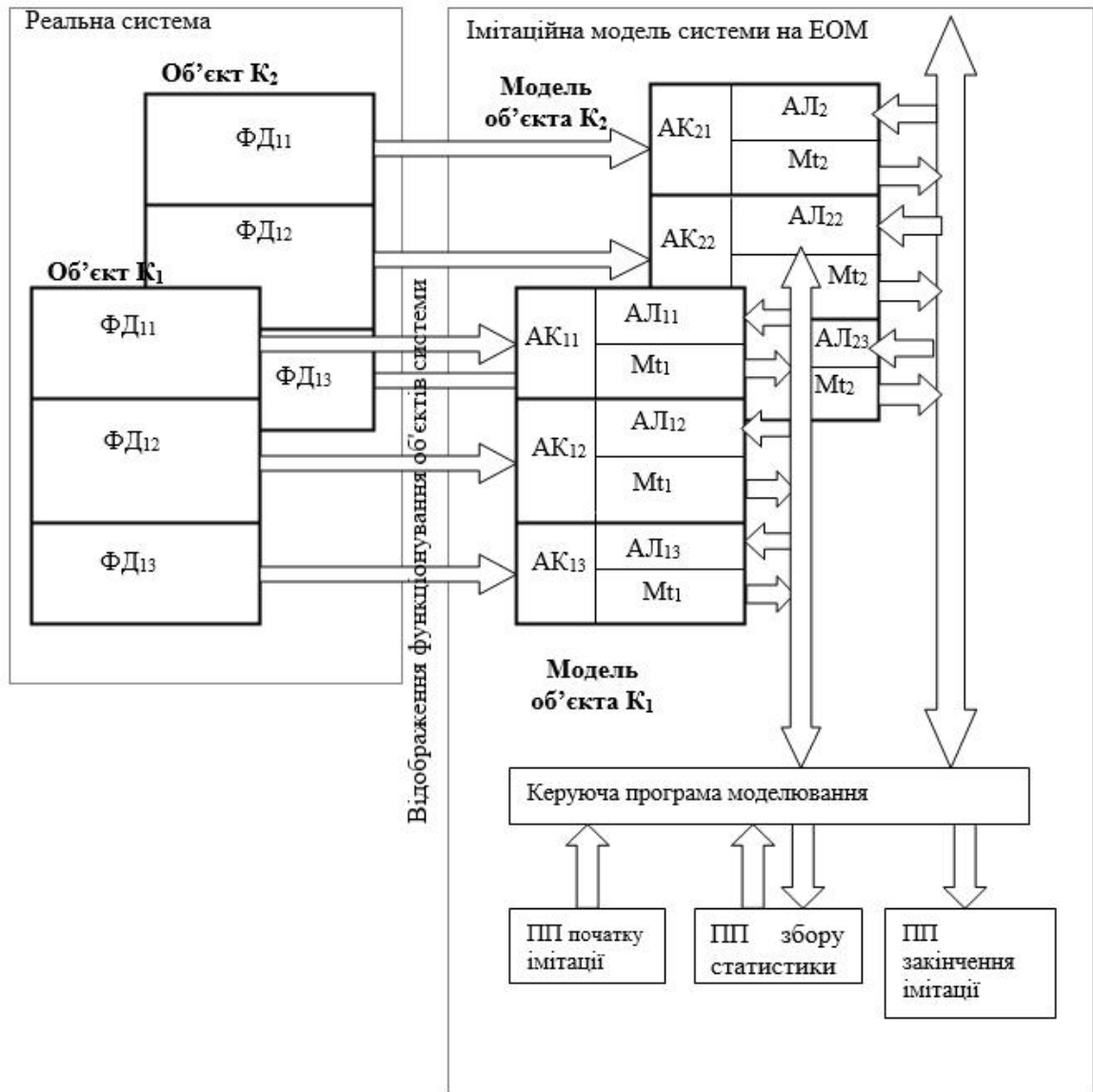
$t_m.$





ij,

i



4.1 –

4.2

[28].

Объект K <sub>1</sub>	Объект K <sub>2</sub>	Объект K <sub>3</sub>
ФД <sub>11</sub>	ФД <sub>21</sub>	ФД <sub>31</sub>
ФД <sub>12</sub>	ФД <sub>22</sub>	ФД <sub>32</sub>
ФД <sub>13</sub>		ФД <sub>33</sub>
ФД <sub>14</sub>	ФД <sub>23</sub>	

4.2 –





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