

ДОДАТОК А  
Лістинг програми

```
I=imread('E:\OF\1.bmp');
I=rgb2gray(I);
Id = double(I);
[b,a]=butter(12,0.5/6)
F=filtfilt(b,a,Id)
F(:,1:18)=[];
surf(F)
shading interp
colormap gray
Table = ones(1,180);
r=0
for g=1:180
Frot=imrotate(F,g);
N1 = length(Frot)
Frot(:,(N1+300)/2:N1)=[];
Frot((N1+300)/2:N1,:)=[];
Frot(1:(N1-300)/2,:)=[];
Frot(:,1:(N1-300)/2)=[];
[r,c,v]=find(Frot);
lindx=sub2ind(size(Frot),r,c);
cy=sum(r.*Frot(lindx))/sum(v)
cx=sum(c.*Frot(lindx))/sum(v)
Fxy1=Frot(ceil(cx),:);
for i=1:150;
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if abs(Fxy1(i))>125;
x1=i
break, end
i=i+1
end;
for i=299:-1:150;
if abs(Fxy1(i))>125;
x2=i
break, end
i=i-1
end;
x=abs(x1-x2)
Table(g) = x;
end
function [fitresult, gof] = createFit1(Table)
%CREATEFIT1(TABLE)
% Create a fit.
% Data for 'untitled fit 1' fit:
%   Y Output: Table
% Output:
%   fitresult : a fit object representing the fit.
%   gof : structure with goodness-of fit info.
% See also FIT, CFIT, SFIT.
% Auto-generated by MATLAB on 22-Nov-2020 22:19:02
%% Fit: 'untitled fit 1'.
[xData, yData] = prepareCurveData( [], Table );
% Set up fitype and options.

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ft = fittype( 'poly6' );
% Fit model to data.
[fitresult, gof] = fit( xData, yData, ft, 'Normalize', 'on' );

% Plot fit with data.
figure( 'Name', 'untitled fit 1' );
h = plot( fitresult, xData, yData );
legend( h, 'Table', 'untitled fit 1', 'Location', 'NorthEast' );
% Label axes
ylabel Table
grid on
function [fitresult, gof] = createFits(Table)
%CREATEFITS(TABLE)
% Create fits.
% Data for 'untitled fit 1' fit:
%   Y Output: Table
% Data for 'untitled fit 2' fit:
%   Y Output: Table
% Output:
%   fitresult : a cell-array of fit objects representing the fits.
%   gof : structure array with goodness-of fit info.
% See also FIT, CFIT, SFIT.
% Auto-generated by MATLAB on 22-Nov-2020 22:29:45
%% Initialization.
% Initialize arrays to store fits and goodness-of-fit.
fitresult = cell( 2, 1 );
gof = struct( 'sse', cell( 2, 1 ), ...

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    'rsquare', [], 'dfe', [], 'adjrsquare', [], 'rmse', [] );
%% Fit: 'untitled fit 1'.
[xData, yData] = prepareCurveData( [], Table );

% Set up fitype and options.
ft = fitype( 'poly6' );
% Fit model to data.
[fitresult{1}, gof(1)] = fit( xData, yData, ft, 'Normalize', 'on' );
% Plot fit with data.
figure( 'Name', 'untitled fit 1' );
h = plot( fitresult{1}, xData, yData );
legend( h, 'Table', 'untitled fit 1', 'Location', 'NorthEast' );
% Label axes
ylabel Table
grid on
%% Fit: 'untitled fit 2'.
[xData, yData] = prepareCurveData( [], Table );
% Set up fitype and options.
ft = fitype( 'poly5' );
% Fit model to data.
[fitresult{2}, gof(2)] = fit( xData, yData, ft, 'Normalize', 'on' );
% Plot fit with data.
figure( 'Name', 'untitled fit 2' );
h = plot( fitresult{2}, xData, yData );
legend( h, 'Table', 'untitled fit 2', 'Location', 'NorthEast' );
% Label axes
ylabel Table

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grid on
function [fitresult, gof] = createFits(Table)
%CREATEFITS(TABLE)
% Create fits.
% Data for 'untitled fit 1' fit:
%   Y Output: Table
% Data for 'untitled fit 2' fit:
%   Y Output: Table
% Data for 'untitled fit 3' fit:
%   Y Output: Table
% Output:
%   fitresult : a cell-array of fit objects representing the fits.
%   gof : structure array with goodness-of fit info.
% See also FIT, CFIT, SFIT.
% Auto-generated by MATLAB on 22-Nov-2020 22:42:20
%% Initialization.
% Initialize arrays to store fits and goodness-of-fit.
fitresult = cell( 3, 1 );
gof = struct( 'sse', cell( 3, 1 ), ...
    'rsquare', [], 'dfe', [], 'adjrsquare', [], 'rmse', [] );
%% Fit: 'untitled fit 1'.
[xData, yData] = prepareCurveData( [], Table );
% Set up fitype and options.
ft = fitype( 'poly6' );
% Fit model to data.
[fitresult{1}, gof(1)] = fit( xData, yData, ft, 'Normalize', 'on' );
% Plot fit with data.

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```
figure( 'Name', 'untitled fit 1' );
h = plot( fitresult{1}, xData, yData );
legend( h, 'Table', 'untitled fit 1', 'Location', 'NorthEast' );
% Label axes
ylabel Table
grid on

%% Fit: 'untitled fit 2'.
[xData, yData] = prepareCurveData( [], Table );
% Set up fitype and options.
ft = fitype( 'poly5' );
% Fit model to data.
[fitresult{2}, gof(2)] = fit( xData, yData, ft, 'Normalize', 'on' );
% Plot fit with data.
figure( 'Name', 'untitled fit 2' );
h = plot( fitresult{2}, xData, yData );
legend( h, 'Table', 'untitled fit 2', 'Location', 'NorthEast' );
% Label axes
ylabel Table
grid on

%% Fit: 'untitled fit 3'.
[xData, yData] = prepareCurveData( [], Table );
% Set up fitype and options.
ft = fitype( 'poly5' );
% Fit model to data.
[fitresult{3}, gof(3)] = fit( xData, yData, ft, 'Normalize', 'on' );
% Plot fit with data.
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figure( 'Name', 'untitled fit 3' );
h = plot( fitresult{3}, xData, yData );
legend( h, 'Table', 'untitled fit 3', 'Location', 'NorthEast' );
% Label axes
ylabel Table
grid on

```

```

function [fitresult, gof] = createFits(Table)
%CREATEFITS(TABLE)
% Create fits.
% Data for 'untitled fit 1' fit:
%   Y Output: Table
% Data for 'untitled fit 2' fit:
%   Y Output: Table
% Data for 'untitled fit 3' fit:
%   Y Output: Table
% Data for 'untitled fit 4' fit:
%   Y Output: Table
% Output:
%   fitresult : a cell-array of fit objects representing the fits.
%   gof : structure array with goodness-of fit info.
% See also FIT, CFIT, SFIT.
% Auto-generated by MATLAB on 22-Nov-2020 22:50:16
%% Initialization.
% Initialize arrays to store fits and goodness-of-fit.
fitresult = cell( 4, 1 );
gof = struct( 'sse', cell( 4, 1 ), ...

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    'rsquare', [], 'dfe', [], 'adjrsquare', [], 'rmse', [] );
%% Fit: 'untitled fit 1'.
[xData, yData] = prepareCurveData( [], Table );
% Set up fitype and options.
ft = fitype( 'poly6' );
% Fit model to data.
[fitresult{1}, gof(1)] = fit( xData, yData, ft, 'Normalize', 'on' );

% Plot fit with data.
figure( 'Name', 'untitled fit 1' );
h = plot( fitresult{1}, xData, yData );
legend( h, 'Table', 'untitled fit 1', 'Location', 'NorthEast' );
% Label axes
ylabel Table
grid on
%% Fit: 'untitled fit 2'.
[xData, yData] = prepareCurveData( [], Table );
% Set up fitype and options.
ft = fitype( 'poly5' );
% Fit model to data.
[fitresult{2}, gof(2)] = fit( xData, yData, ft, 'Normalize', 'on' );
% Plot fit with data.
figure( 'Name', 'untitled fit 2' );
h = plot( fitresult{2}, xData, yData );
legend( h, 'Table', 'untitled fit 2', 'Location', 'NorthEast' );
% Label axes
ylabel Table

```

```
grid on
%% Fit: 'untitled fit 3'.
[xData, yData] = prepareCurveData( [], Table );
% Set up fitype and options.
ft = fitype( 'poly5' );
% Fit model to data.
[fitresult{3}, gof(3)] = fit( xData, yData, ft, 'Normalize', 'on' );
% Plot fit with data.
figure( 'Name', 'untitled fit 3' );
h = plot( fitresult{3}, xData, yData );
legend( h, 'Table', 'untitled fit 3', 'Location', 'NorthEast' );
% Label axes
ylabel Table
grid on
%% Fit: 'untitled fit 4'.
[xData, yData] = prepareCurveData( [], Table );
% Set up fitype and options.
ft = fitype( 'poly5' );
% Fit model to data.
[fitresult{4}, gof(4)] = fit( xData, yData, ft, 'Normalize', 'on' );
% Plot fit with data.
figure( 'Name', 'untitled fit 4' );
h = plot( fitresult{4}, xData, yData );
legend( h, 'Table', 'untitled fit 4', 'Location', 'NorthEast' );
% Label axes
ylabel Table
grid on
```

ДОДАТОК Б  
Результати апроксимації

1. Модель оптичного волокна 1 (рис. 3.2, а)

Linear model Poly6:

$$f(x) = p1 * x^6 + p2 * x^5 + p3 * x^4 + p4 * x^3 + p5 * x^2 + p6 * x + p7$$

where x is normalized by mean 90.5 and std 52.11

Coefficients (with 95% confidence bounds):

$$p1 = 0.3623 \quad (-0.1606, 0.8853)$$

$$p2 = -0.1589 \quad (-0.6119, 0.2941)$$

$$p3 = -1.898 \quad (-4.061, 0.2651)$$

$$p4 = 0.3133 \quad (-1.226, 1.853)$$

$$p5 = 3.152 \quad (0.7917, 5.512)$$

$$p6 = 0.4259 \quad (-0.7432, 1.595)$$

$$p7 = 145.3 \quad (144.7, 145.9)$$

Goodness of fit:

SSE: 567.3

R-square: 0.1563

Adjusted R-square: 0.1271

RMSE: 1.811

2. Модель оптичного волокна 2 (рис. 3.2, б)

Linear model Poly5:

$$f(x) = p1 * x^5 + p2 * x^4 + p3 * x^3 + p4 * x^2 + p5 * x + p6$$

where  $x$  is normalized by mean 90.5 and std 52.11

Coefficients (with 95% confidence bounds):

$$p1 = -0.8927 \quad (-1.352, -0.4335)$$

$$p2 = 2.333 \quad (1.934, 2.731)$$

$$p3 = 4.496 \quad (2.935, 6.057)$$

$$p4 = -10.61 \quad (-11.68, -9.551)$$

$$p5 = -7.01 \quad (-8.195, -5.825)$$

$$p6 = 145.9 \quad (145.4, 146.4)$$

Goodness of fit:

SSE: 586.4

R-square: 0.8919

Adjusted R-square: 0.8888

RMSE: 1.836

### 3. Модель оптического волокна 3 (рис. 3.2, в)

Linear model Poly5:

$$f(x) = p1 * x^5 + p2 * x^4 + p3 * x^3 + p4 * x^2 + p5 * x + p6$$

where  $x$  is normalized by mean 90.5 and std 52.11

Coefficients (with 95% confidence bounds):

$$p1 = 1.229 \quad (0.6977, 1.759)$$

$$p2 = -0.3876 \quad (-0.8482, 0.07303)$$

$$p3 = -8.198 \quad (-10, -6.393)$$

$$p4 = 0.6097 \quad (-0.6193, 1.839)$$

$$p5 = 13.66 \quad (12.29, 15.03)$$

$$p_6 = 142 \quad (141.4, 142.6)$$

Goodness of fit:

SSE: 783.8

R-square: 0.8487

Adjusted R-square: 0.8443

RMSE: 2.122

#### 4. Модель оптического волокна 4 (рис. 3.2, з)

Linear model Poly5:

$$f(x) = p_1 * x^5 + p_2 * x^4 + p_3 * x^3 + p_4 * x^2 + p_5 * x + p_6$$

where x is normalized by mean 90.5 and std 52.11

Coefficients (with 95% confidence bounds):

$$p_1 = 0.8946 \quad (0.3311, 1.458)$$

$$p_2 = -1.303 \quad (-1.792, -0.8144)$$

$$p_3 = -1.499 \quad (-3.414, 0.4159)$$

$$p_4 = 11.15 \quad (9.849, 12.46)$$

$$p_5 = -3.067 \quad (-4.521, -1.613)$$

$$p_6 = 149.4 \quad (148.8, 150)$$

Goodness of fit:

SSE: 882.8

R-square: 0.9197

Adjusted R-square: 0.9174

RMSE: 2.252

ДОДАТОК В  
Демонстраційний матеріал

