

(61166, . . . , 14, . . . , (057) 70-21-436)
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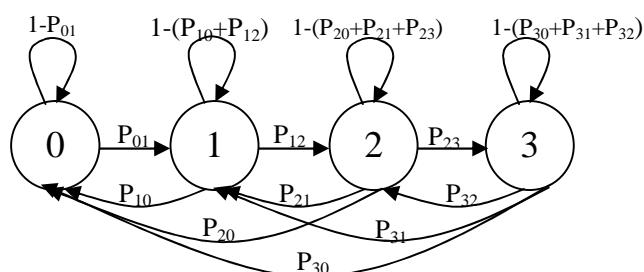
The model of Human-Machine-Environment (HME) system which reduces the price of detrimental factor recovering is worked out. Subject of research: A Markov model of HME with protective subsystem. It changes discrete states continuously at random time. The considered model of a discrete dynamical system describes a situation, where the main subsystem "produces" harmful factor, and the second subsystem - defense - is trying to reduce it.

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 $n=3$).

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$$P = \begin{bmatrix} P_{00} & P_{01} & 0 & 0 \\ P_{01} & P_{11} & P_{12} & 0 \\ P_{10} & P_{11} & P_{21} & P_{23} \\ P_{11} & P_{21} & P_{22} & P_{32} \\ P_{20} & P_{21} & P_{22} & P_{32} \\ P_{21} & P_{31} & P_{32} & P_{33} \end{bmatrix}$$

$$\begin{array}{c} : \\ k - P^k - \\ \cdot \\ P \quad k < 10. \\ P_{01} \quad \ll \gg, \quad p_{i0}, \\ (. . . .1) \quad , \quad - \end{array} \quad (3-)$$

$$\begin{array}{c} \cdot \\ \cdot \\ (. .) \quad , , , , \\ \cdot \end{array}$$

$$\begin{array}{c} , \\ C_i - \\ : = \sum C_i P_i \quad \min. \\ P_i \quad P \quad k- \quad p_{ij} - \\ - n- \quad , \quad . \\ \sum_j p_{ij} = 1. \\ (P). \end{array}$$

$$\begin{array}{c} 1. \\ [] / \dots \dots , \dots // \dots . \dots .5- \\ " \quad - \quad , 2012. \quad . 236- \end{array}$$